

# The Composition of Ultra High Energy Cosmic Rays Through Hybrid Analysis at Telescope Array

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PhD Defense

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# What are cosmic rays?

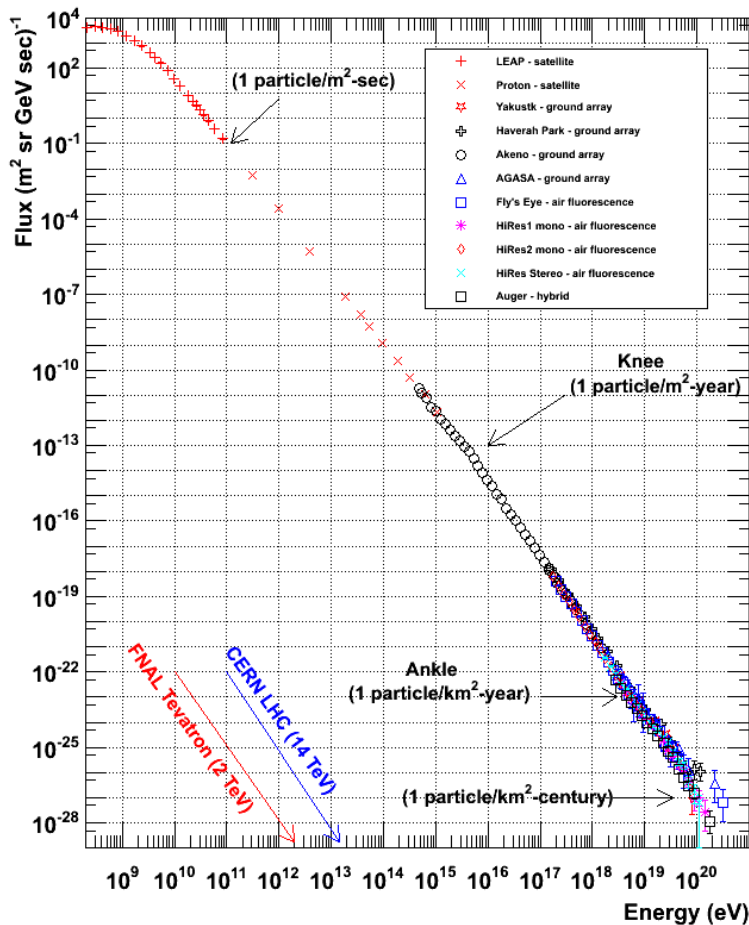
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- ▶ Relativistic atomic nuclei originating outside the Solar System
  - ▶ “Ultra High Energy”  $\rightarrow E > 10^{17}\text{eV}$
- ▶ First discovered by Victor Hess by measuring radiation in high altitude balloon flights (1911-1913)
  - ▶ Awarded the Nobel Prize in physics in 1936
- ▶ Produced by the most energetic processes in the Universe
  - ▶ Galactic: Super novae
  - ▶ Extragalactic: Active Galactic Nuclei



# The All-Particle Spectrum

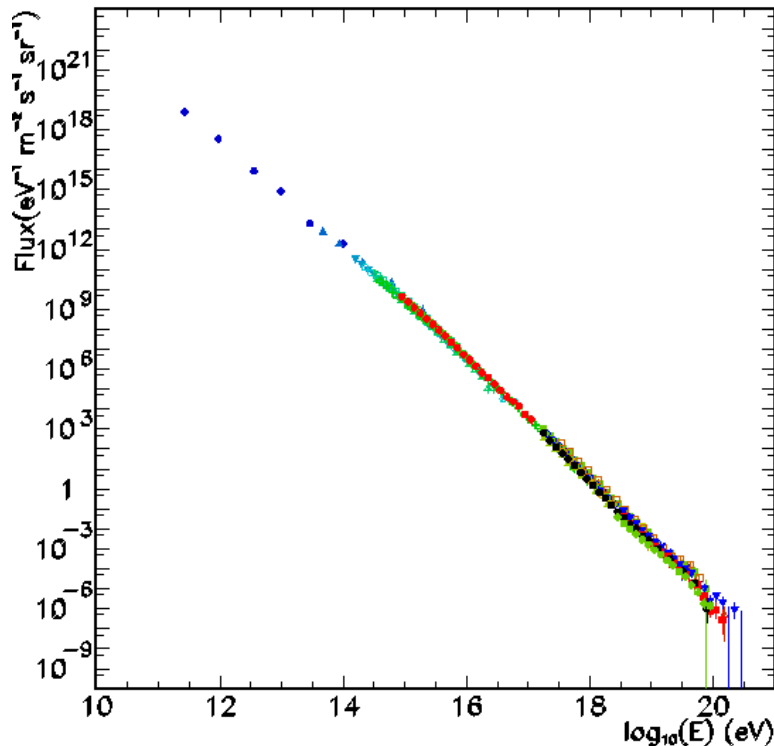
Cosmic Ray Spectra of Various Experiments



- ▶ Steady power law over many decades in energy
- ▶ Large flux at low energies
- ▶ Low flux for Ultra High Energies
- ▶ Much higher in energy than may be produced in an accelerator

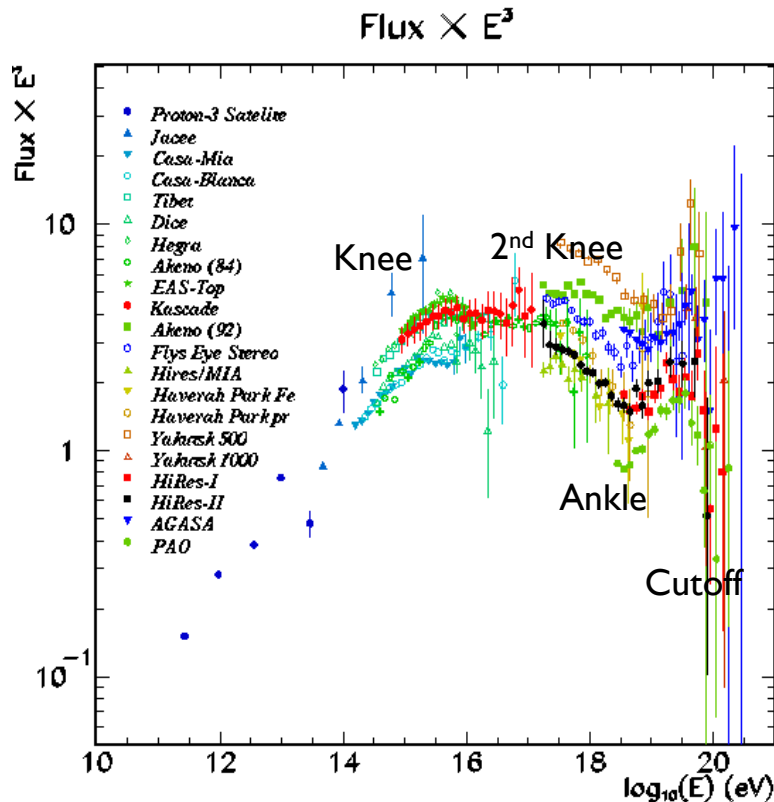
# The All-Particle Spectrum

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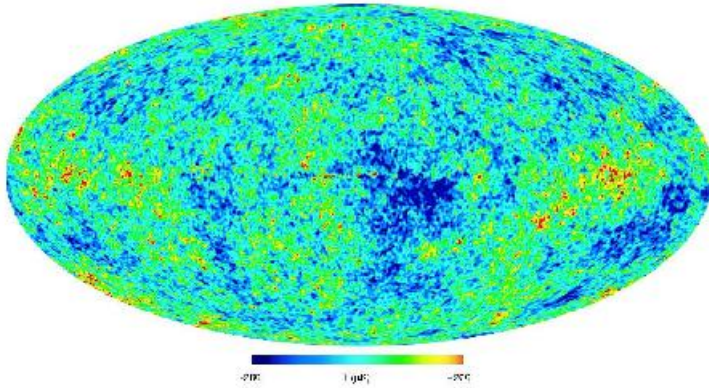
- ▶ Four clearly defined spectral features
  - ▶ Knee
  - ▶ 2<sup>nd</sup> Knee
  - ▶ Ankle
  - ▶ Cutoff

# The All-Particle Spectrum

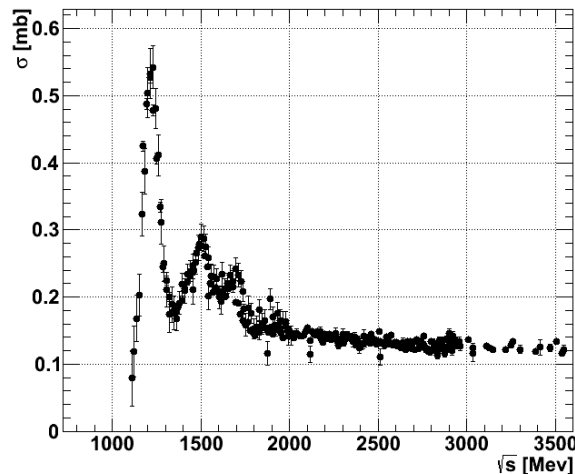


- ▶ Four clearly defined spectral features
  - ▶ Knee
  - ▶ 2<sup>nd</sup> Knee
  - ▶ Ankle
  - ▶ Cutoff

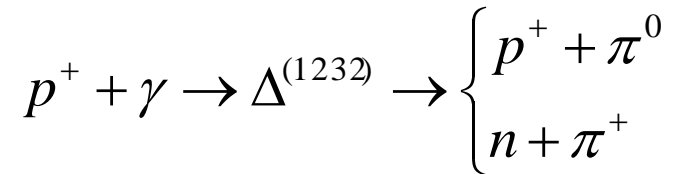
# Cutoff



Cross Section for  $p\gamma$  Interaction

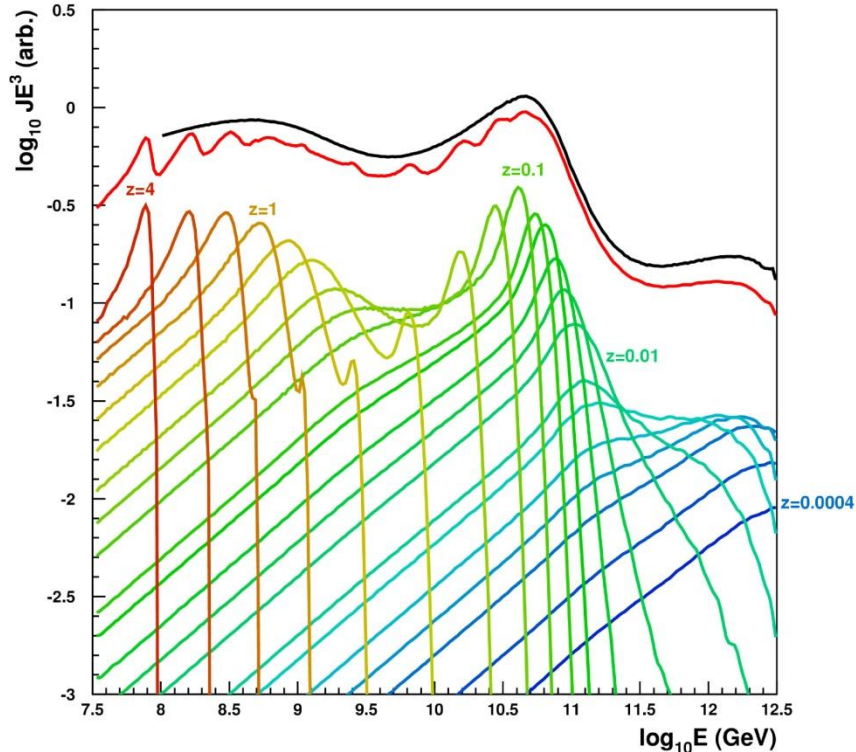


- ▶ Predicted in 1966 by Greisen, Kuzmin, and Zatsepin
- ▶ Coined the “GZK” Cutoff



- ▶ First observed by HiRes
- ▶ Requires protons
- ▶ Alternative: acceleration limit?

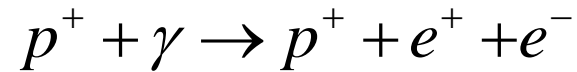
# Ankle



Reproduction of Berezhinsky's modeled cosmic ray spectrum by D. Bergman

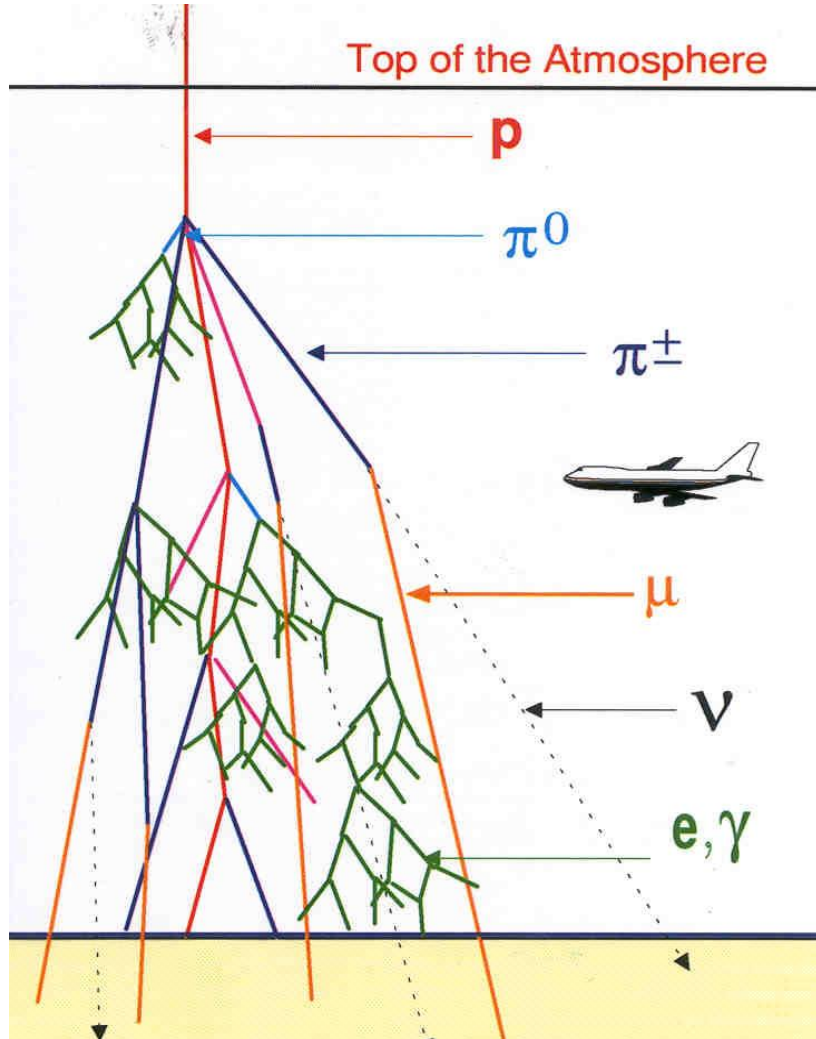
- ▶ Produced by pair production combined with GZK “pile up”

- ▶ First shown by Berezhinsky, 1988



- ▶ Requires protons
- ▶ Alternative: extra-Galactic transition?

# The Extensive Air Shower



- ▶ Primary cosmic rays interact high in the Earth's atmosphere
  - ▶ EASs result in billions of secondary particles
- ▶ Fluorescence photons produced at core
  - ▶ May be observed with telescopes in the UV
- ▶ Many particles reach the ground
  - ▶ May be observed with ground arrays



# Air Shower Simulations (CORSIKA)

Simulated air shower –  
 $E = 10^{15}$  eV proton,  $\theta = 45^\circ$



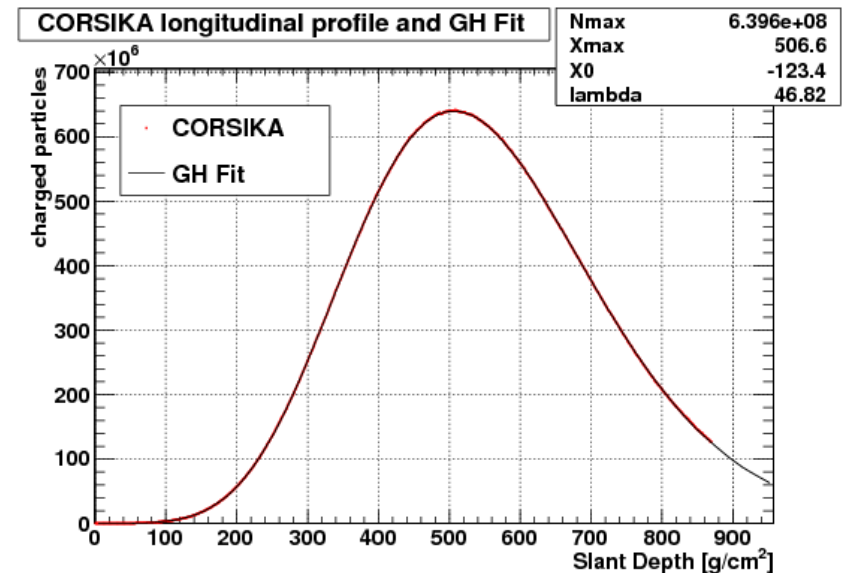
red –  $e^{+/-}, \gamma$

green –  $\mu^{+/-}$

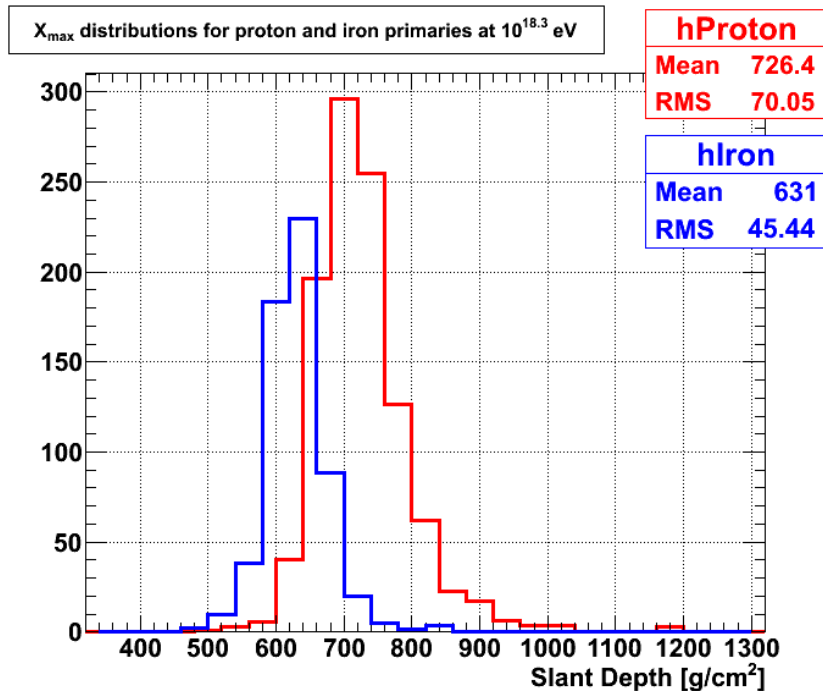
blue – hadrons ( $\pi^{0/+/-}, K^{0/+/-}, p, n$ )

Gaisser-Hillas  
parameterization

$$N(X) = N_{\max} \left( \frac{X - X_0}{X_{\max} - X_0} \right)^{\frac{X_{\max} - X_0}{\lambda}} \exp\left( -\frac{X_{\max} - X}{\lambda} \right)$$

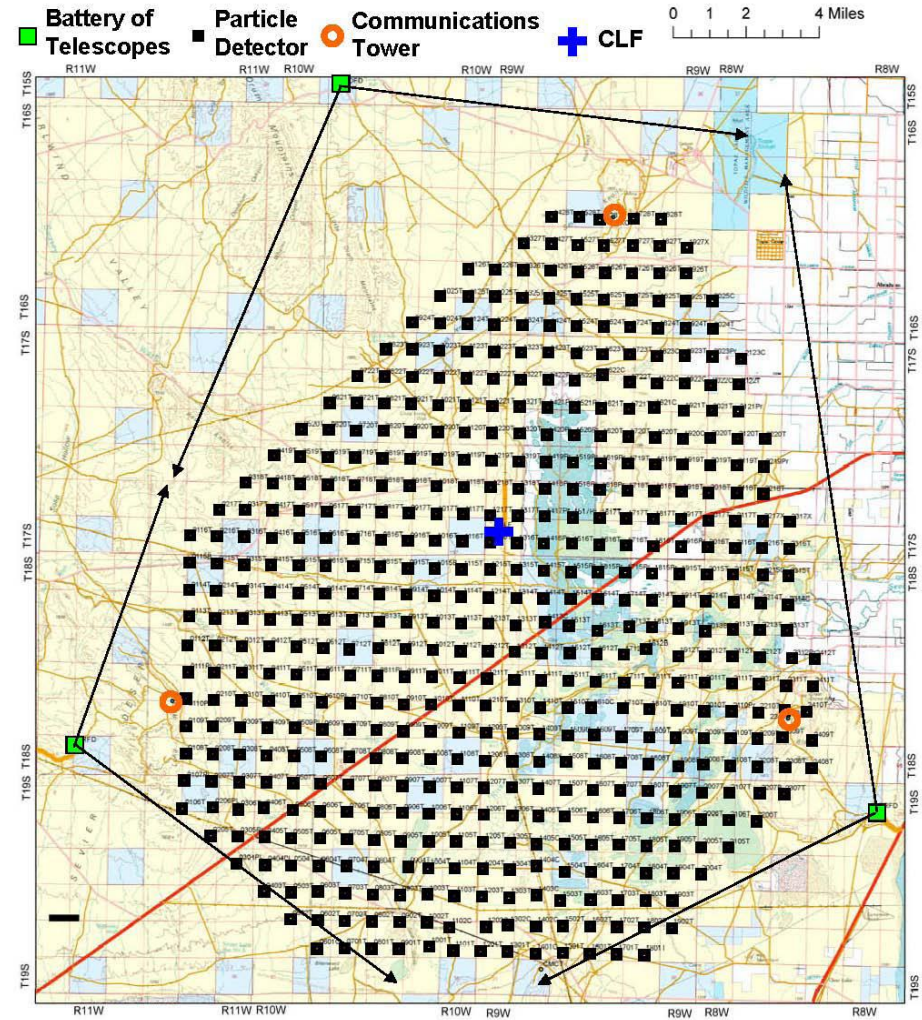


# Proton and Iron $X_{\max}$ Distributions



- ▶ Proton  $X_{\max}$  distributions are deeper and wider than iron distributions
- ▶ Resulting iron  $X_{\max}$  is narrower than that from proton primaries
- ▶ The distributions overlap
  - ▶ Good resolution in  $X_{\max}$  is critical to successfully resolve composition

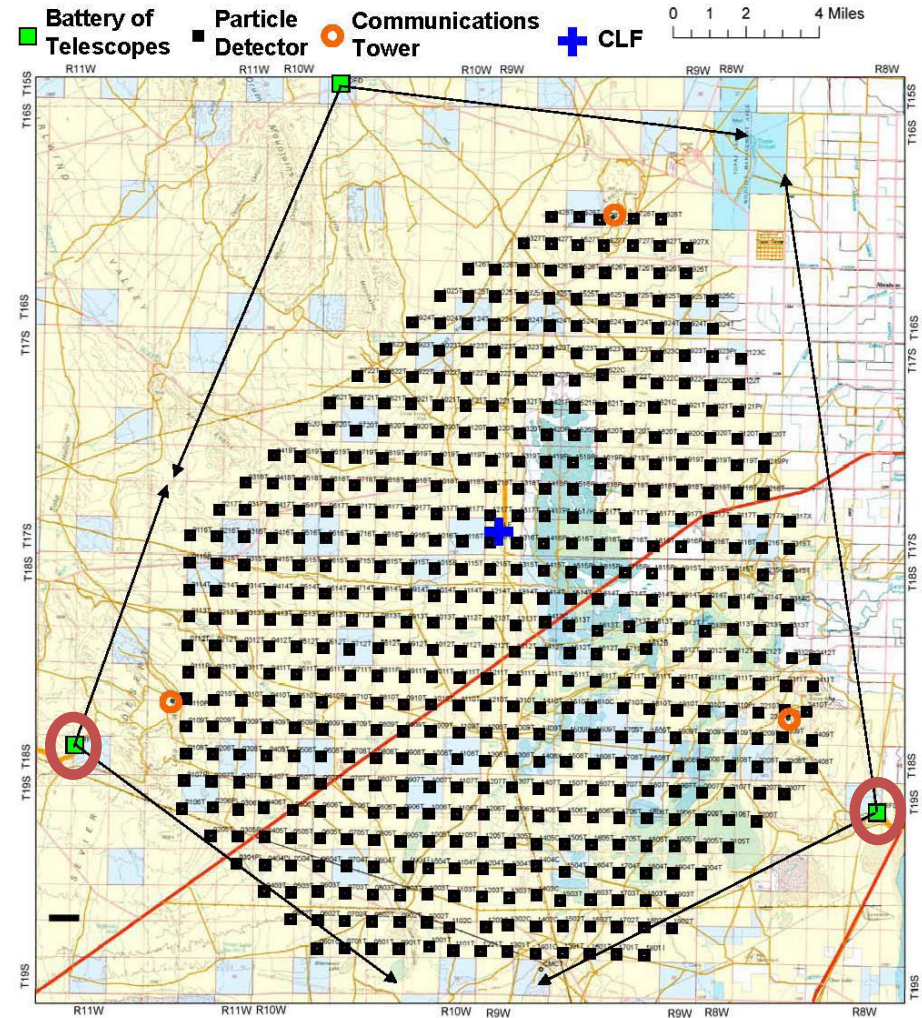
# The Telescope Array Experiment





# The Telescope Array Experiment

## Black Rock Mesa and Long Ridge Fluorescence Detectors

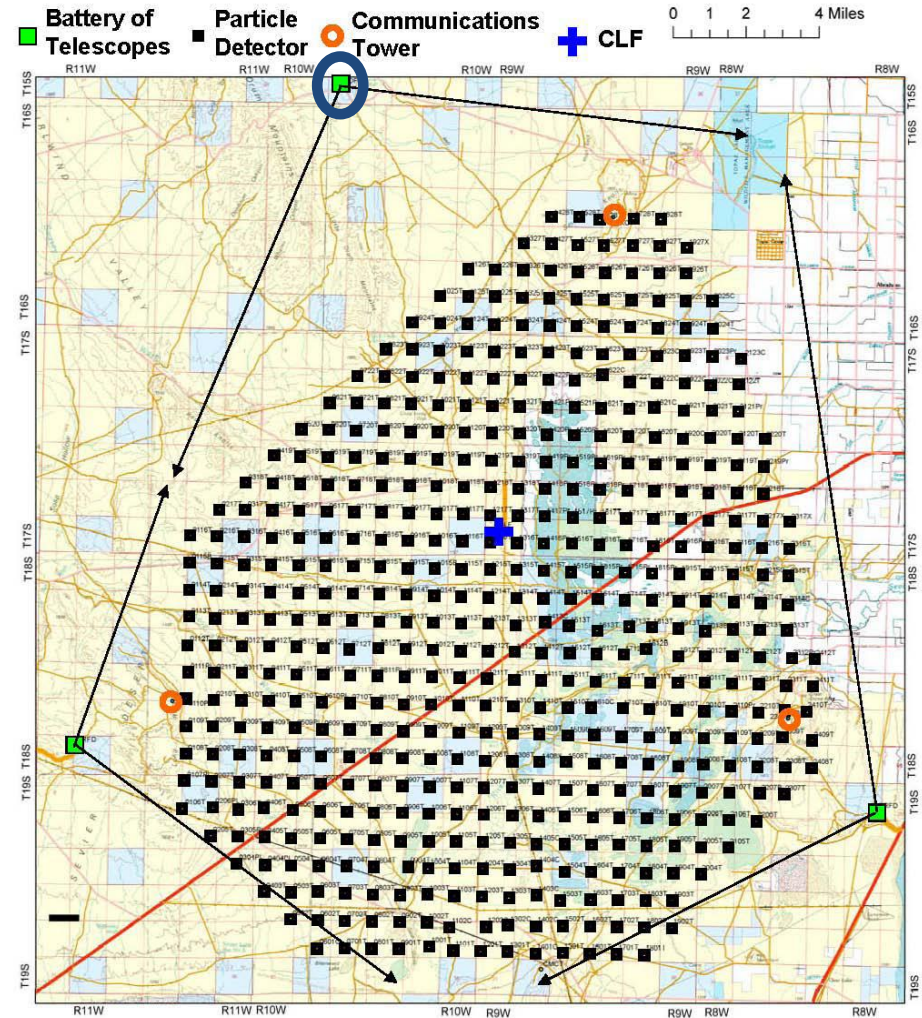




# The Telescope Array Experiment



Middle Drum  
Fluorescence Detector



# BRM/LR Fluorescence Detectors (I)

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**Image produced by 16x16  
PMT “Cluster Box”**

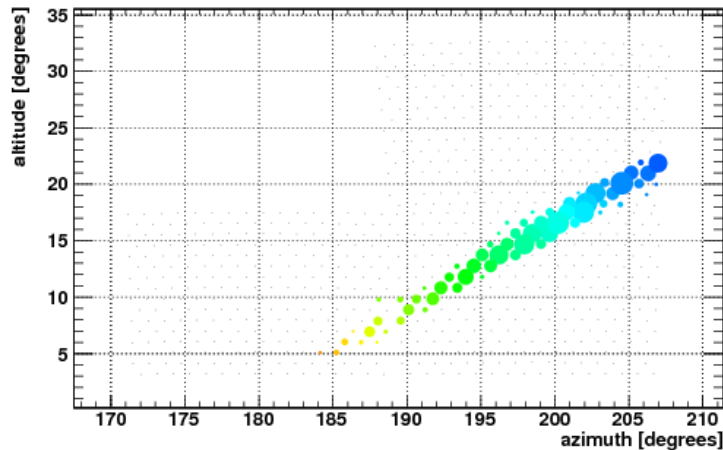
**3.3 m diameter mirrors  
collect light and focus it on  
the cluster box**





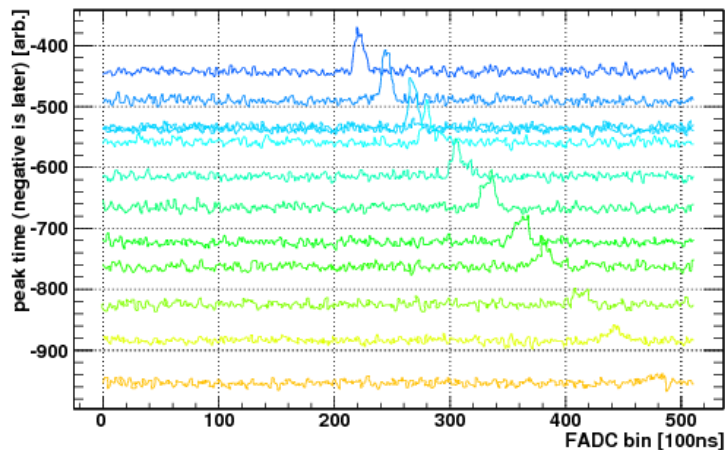
# BRM/LR Fluorescence Detectors (II)

Event: 2008/06/02 07:56:13



- ▶ PMT provide 2D image with  $\sim 1^\circ$  angular resolution
- ▶ FADC digitization provides a PMT “trace” with 100 ns binning

Digitized Waveforms



# Surface Array

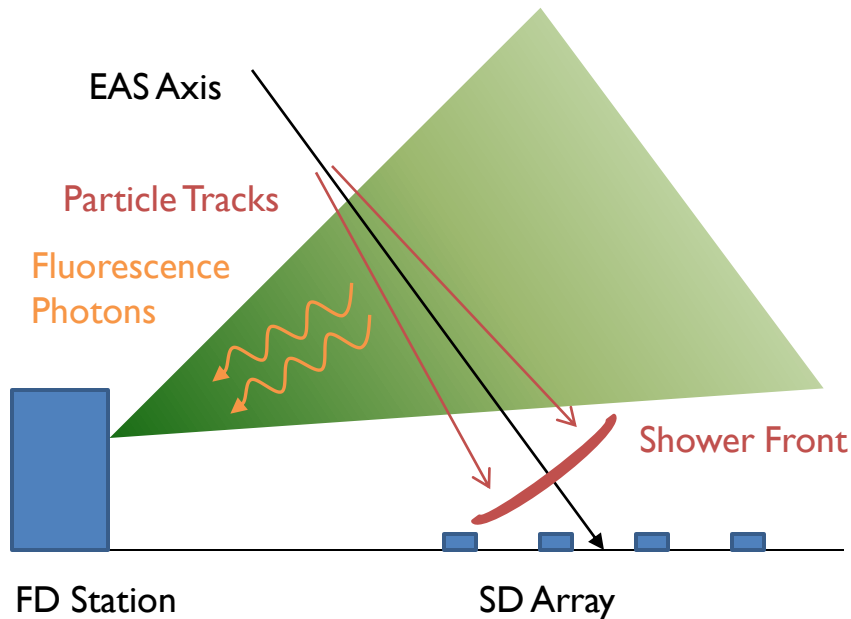
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- ▶ 2 x 3 m<sup>2</sup> scintillator plastic
- ▶ 2 photo-multiplier tubes
  - ▶ 1 per scintillator layer
- ▶ Self powered with solar panels
- ▶ Radio communication facilitates data acquisition and trigger

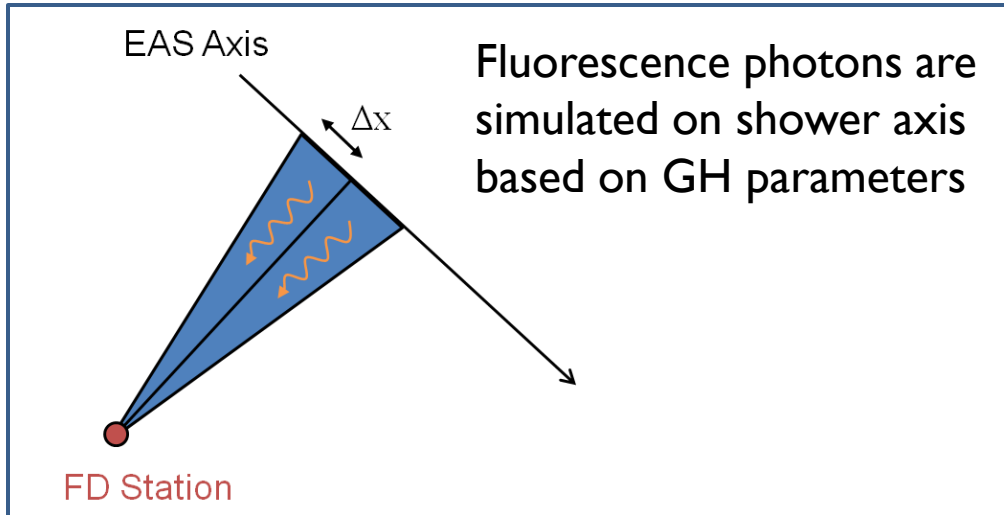


# The Telescope Array Hybrid Detector

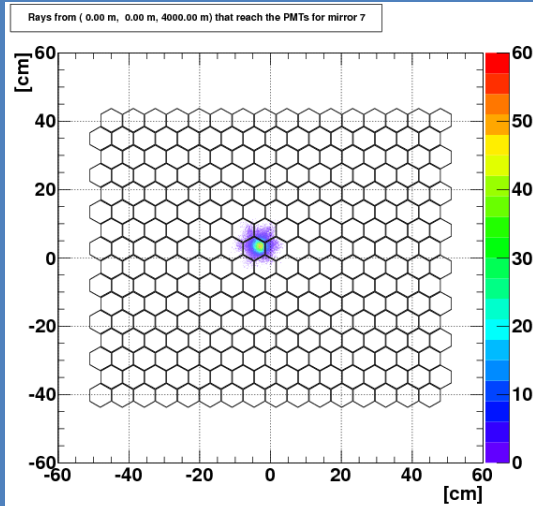
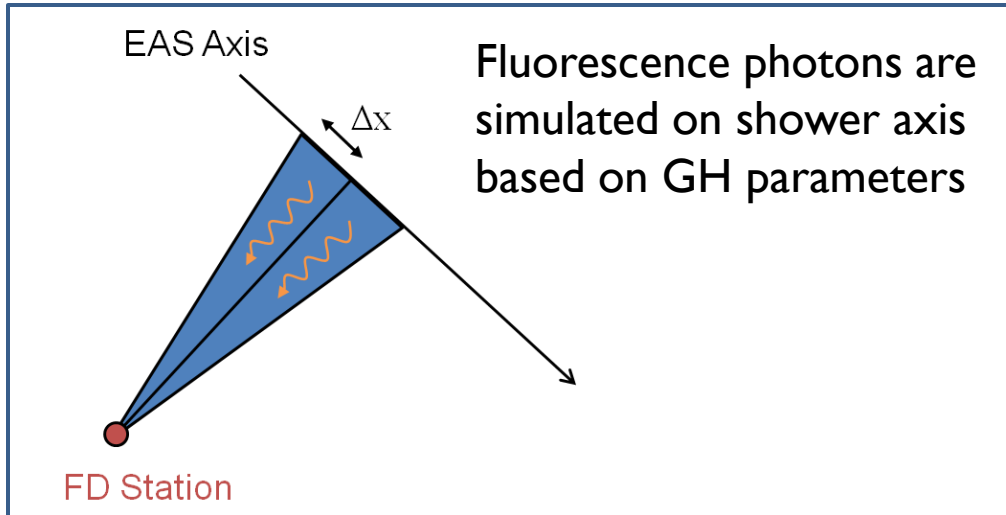


- ▶ FD observes **longitudinal** development close to shower core
- ▶ SD observes **lateral** distributions of particles
- ▶ Hybrid data allows for the observation of  $X_{\max}$  with well constrained geometries.

# Detector Simulation



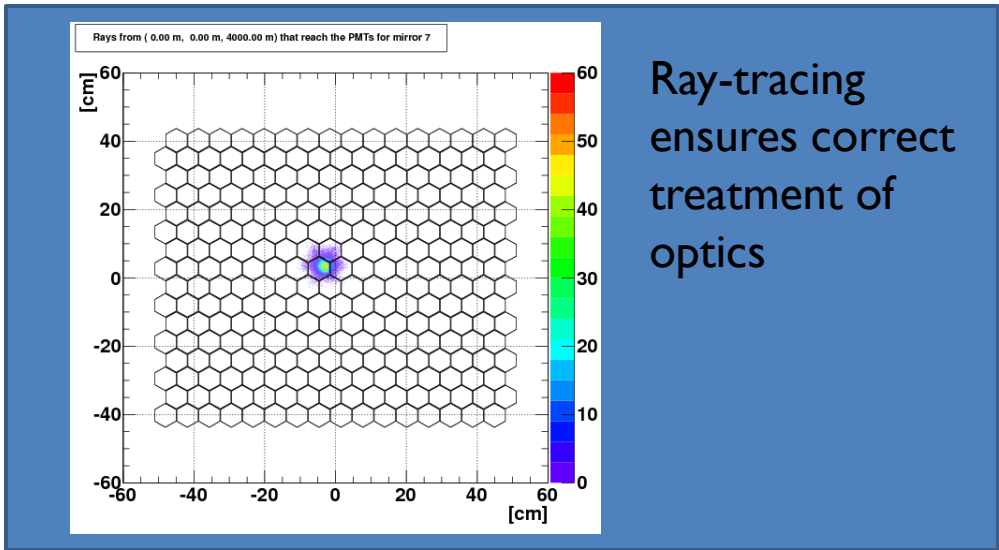
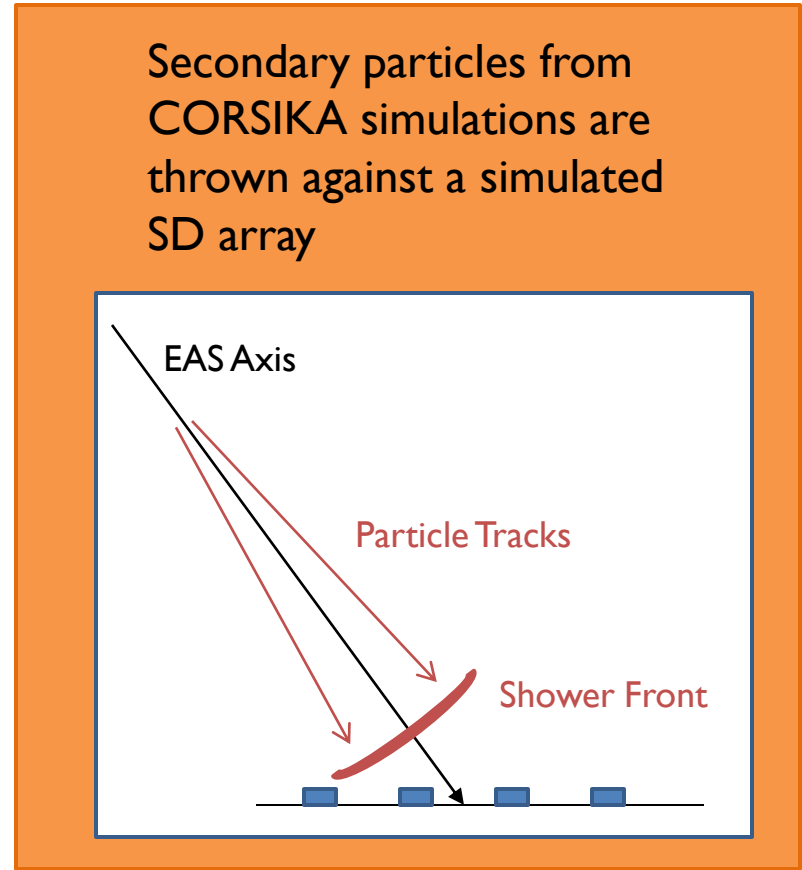
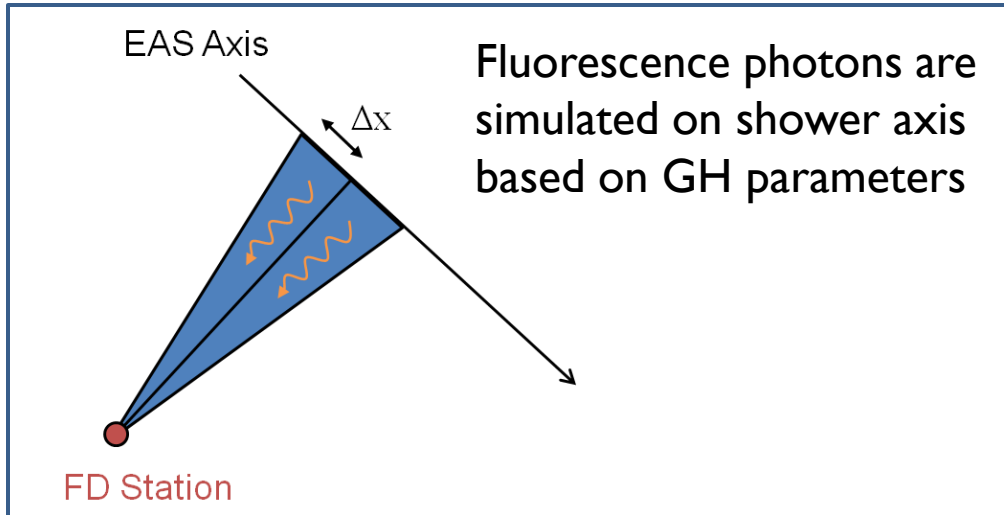
# Detector Simulation



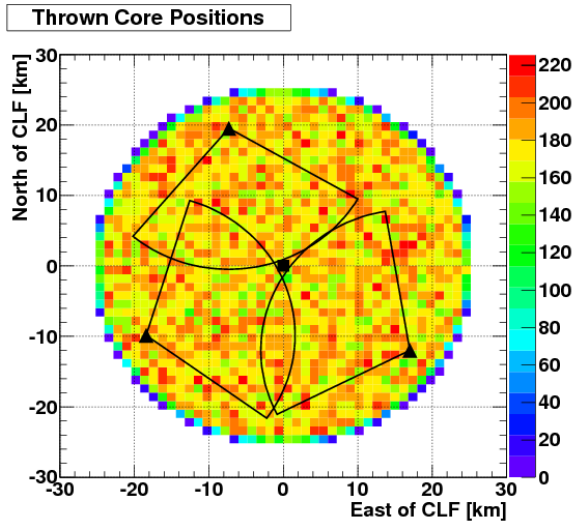
Ray-tracing ensures correct treatment of optics



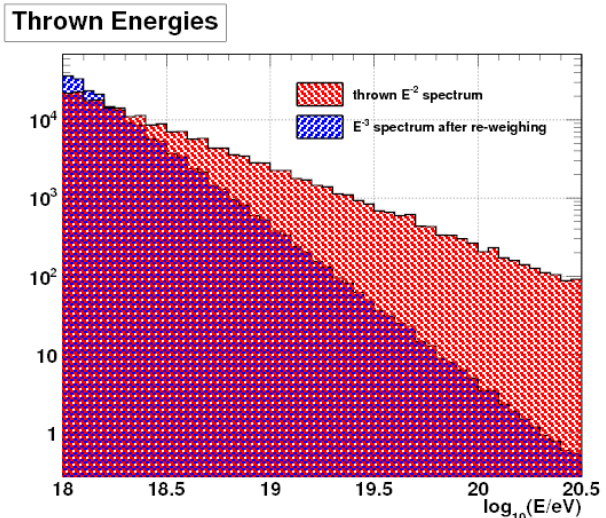
# Detector Simulation



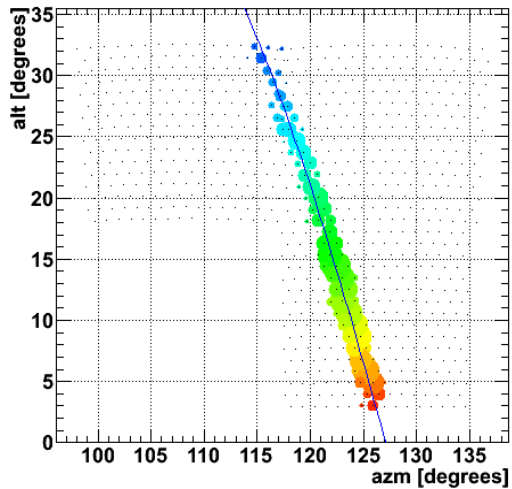
# Thrown MC Distributions



- ▶ Simulated MC distributions must reflect underlining physics
- ▶ Must test the boundaries of the detector
- ▶ Data and MC are identical
  - ▶ Both are reconstructed with the SAME programs
- ▶ Distributions from MC must match those in the data!

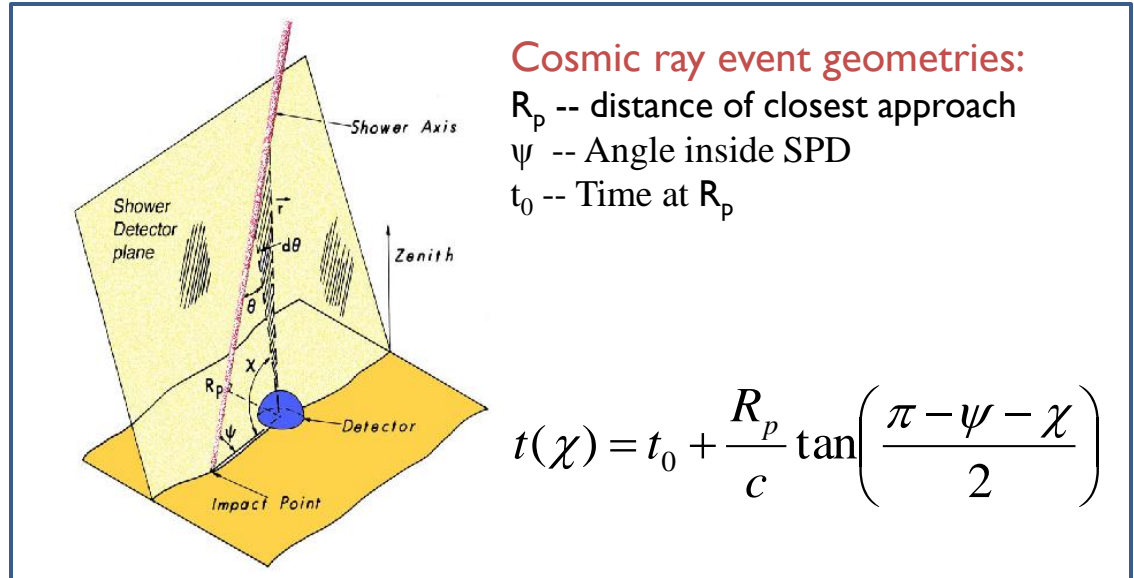


# Hybrid Geometry Reconstruction (I)

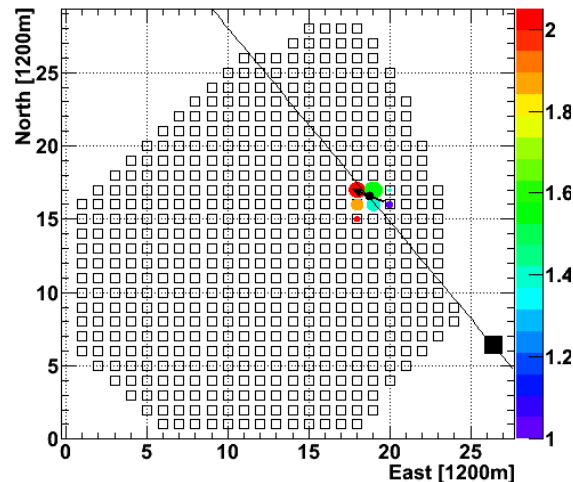
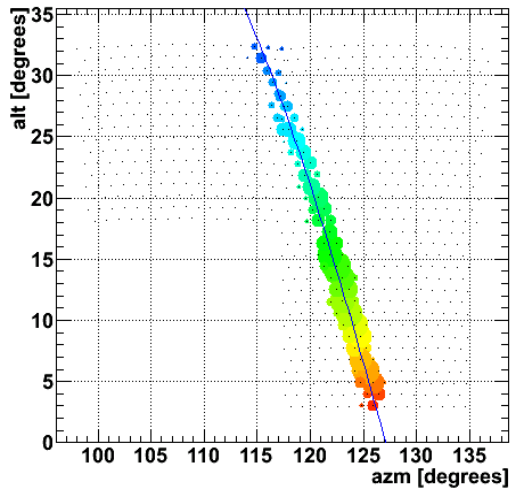


Directions of triggered FD PMTs constrain event geometry to a Shower Detector Plane (SDP)

$$\chi_{SDP}^2 = \sum_i \vec{n} \cdot \vec{t}_i w_i$$

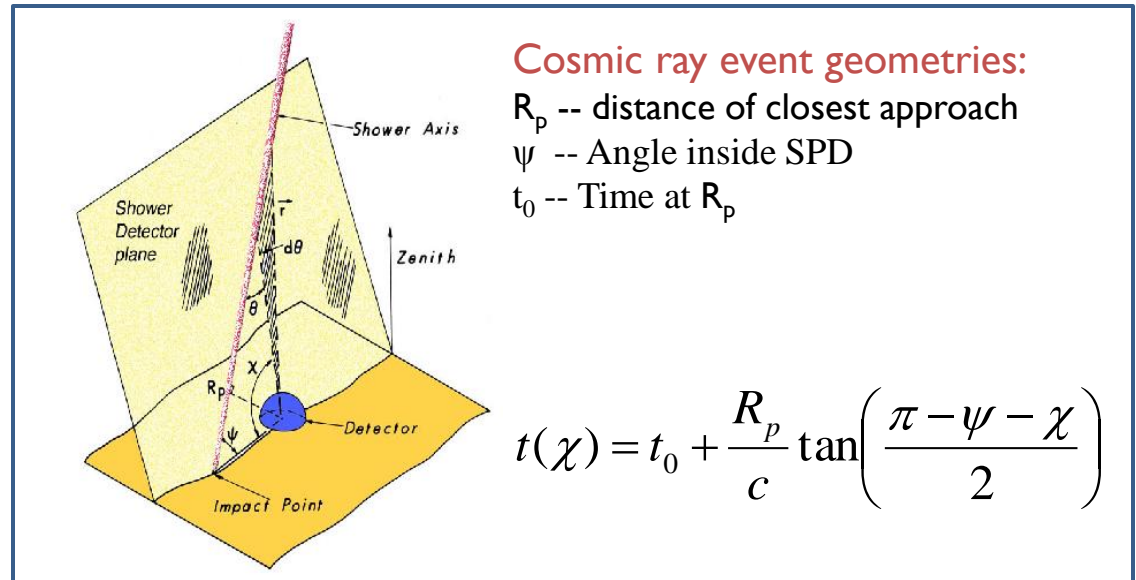


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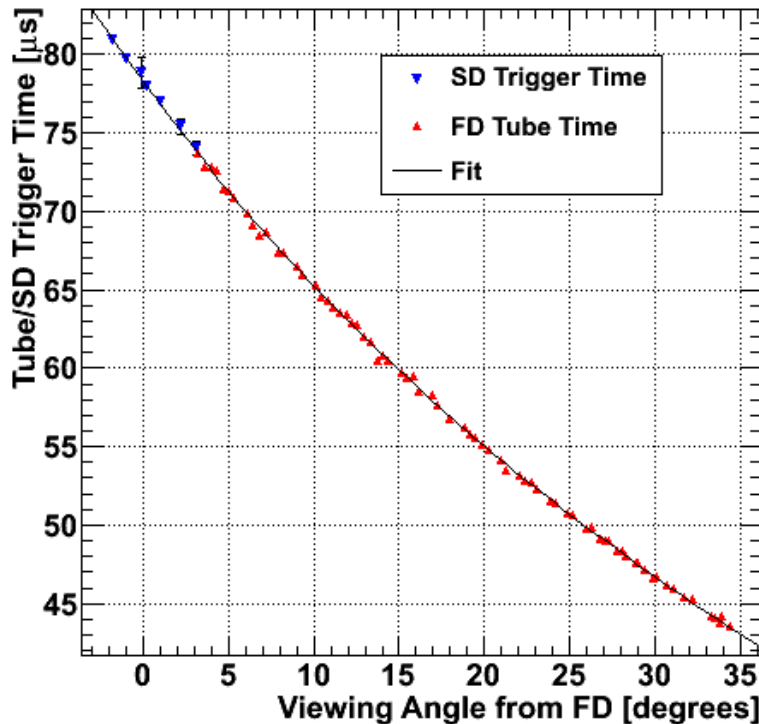


$$t(\chi) = t_0 + \frac{R_p}{c} \tan\left(\frac{\pi - \psi - \chi}{2}\right)$$

Center of charge of triggered SDs constrains the core to a center of charge

$$\chi_{COC}^2 = \left(\frac{|\vec{x} - \vec{c}|}{\sigma}\right)^2$$

# Hybrid Geometry Reconstruction (II)



$$\chi_{FD}^2 = \chi_{SD}^2 = \sum_i \left( \frac{t_i - f(\chi_i)}{\sigma_i} \right)^2$$

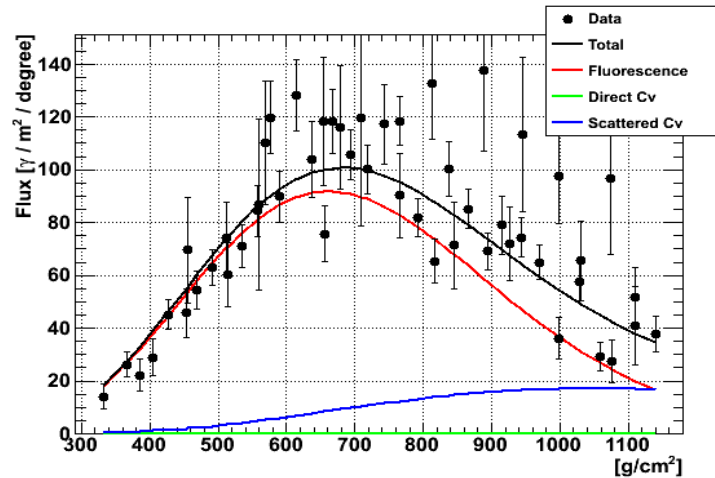
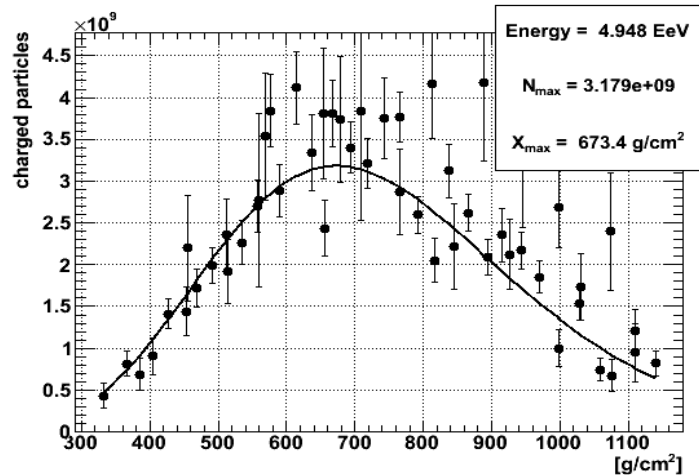
- ▶ Each triggered FD PMT and SD detector provides timing data
- ▶ Construct a 4 component  $\chi^2$  function using all available information

$$\chi_{GEOM}^2(x, y, \theta, \varphi, t_c) = \chi_{COC}^2 + \chi_{SDP}^2 + \chi_{SD}^2 + \chi_{FD}^2$$

- ▶ Minimize in 5 parameters



# Longitudinal Profile Reconstruction



- ▶ Using reconstructed geometry use **Inverse Monte Carlo** to find the best  $N_{\max}$ ,  $X_{\max}$ .

$$N(X) = N_{\max} \left( \frac{X - X_0}{X_{\max} - X_0} \right)^{\frac{X_{\max} - X_0}{\lambda}} \exp\left( \frac{X_{\max} - X}{\lambda} \right)$$

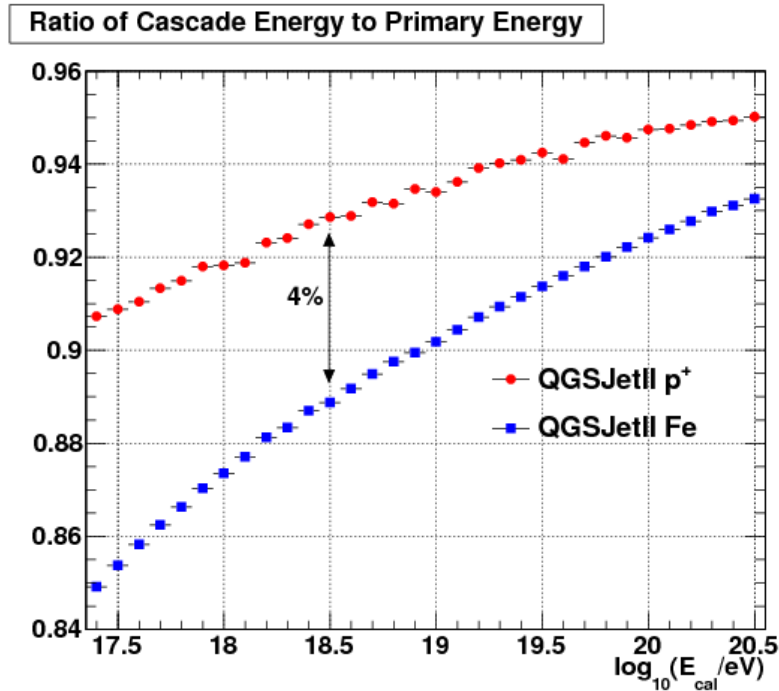
$$\chi_{PRFL}^2(N_{\max}, X_{\max}) = \sum_i \left( \frac{n_i - \Phi_i A_i}{\sigma_i} \right)^2$$

- ▶ GH fit leads to calculation of the shower energy

$$E_{cal} = \int \left\langle \frac{dE}{dX} \right\rangle N(X) dx$$

# Missing Energy Correction

- ▶ Some shower energy results in  $\mu$  and  $\nu$  particles and does not result in fluorescence
- ▶ This “Missing Energy” must be corrected for in reconstruction
- ▶ CORSIKA is used estimate the average missing energy



4% difference between proton and iron simulation

# Data Set and Quality Cuts

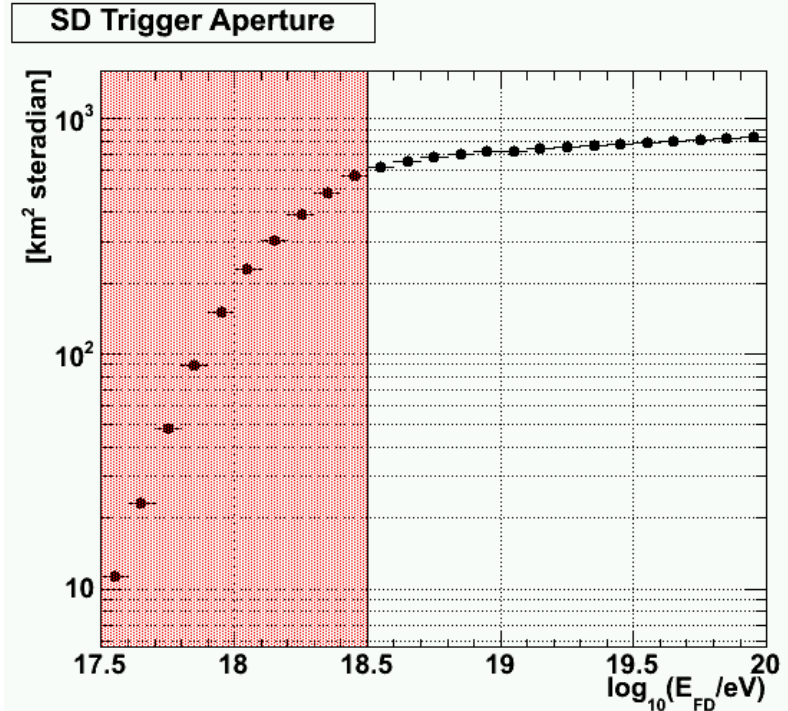
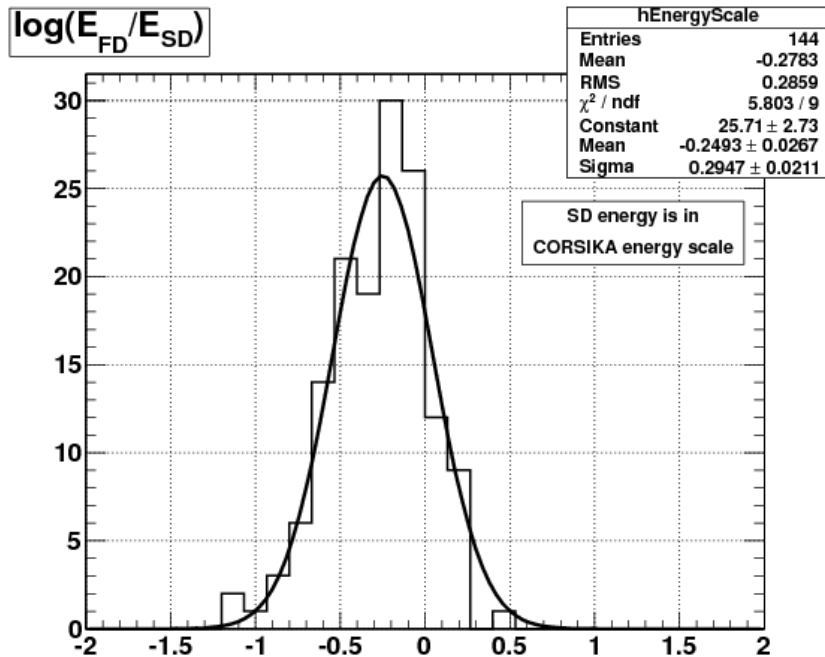
- ▶ All hybrid data before implementation of hybrid trigger
  - ▶ May 2008 – September 2010
- ▶ Results in 454 hybrid events and 74 hybrid-stereo events

Cut	BR Events	LR Events
None	3085	2720
Good Weather	1933	1696
$E > 10^{18.5}$ eV	521	439
$\theta < 55^\circ$	432	327
$\chi^2_{\text{geom}} / \text{DOF} < 5$	429	367
$\chi^2_{\text{prfl}} / \text{DOF} < 5$	350	327
$X_{\text{low}} < X_{\text{max}} < X_{\text{high}}$	324	291
$\psi < 130^\circ$ && track time $> 7\mu\text{s}$	294	269
core inside SD array	276	252

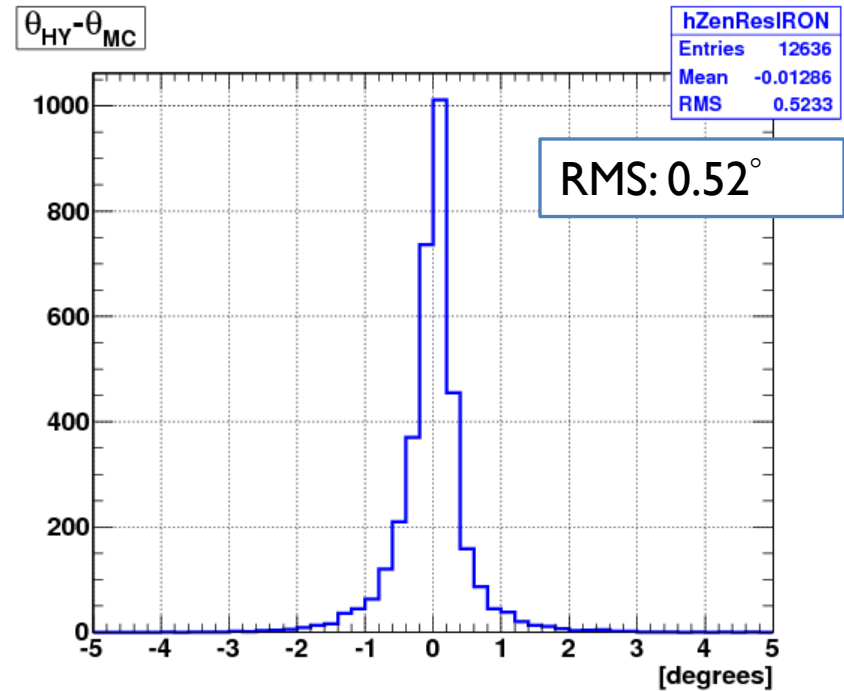
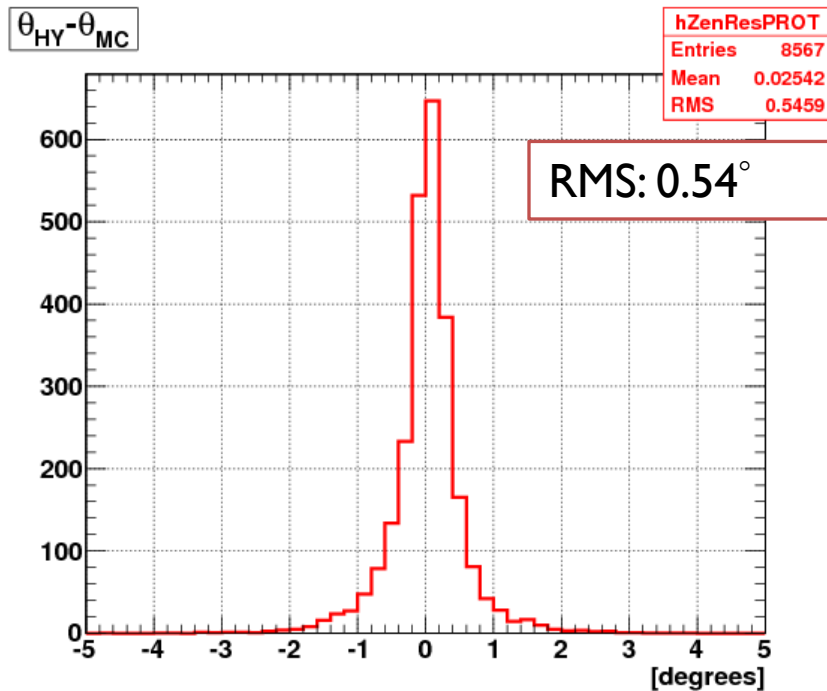
# Energy Scale Treatment

**27% difference between  
FD and SD energies**

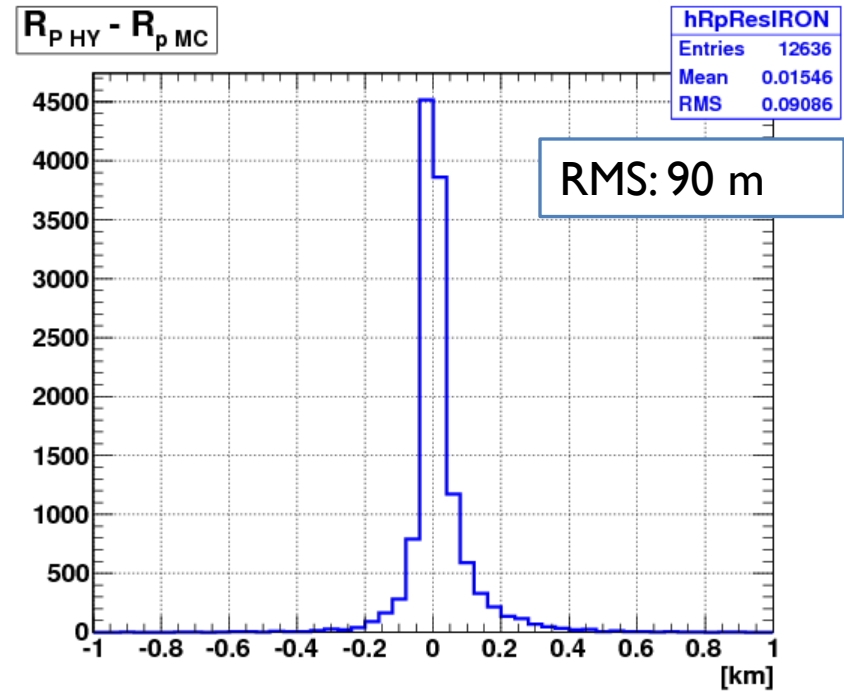
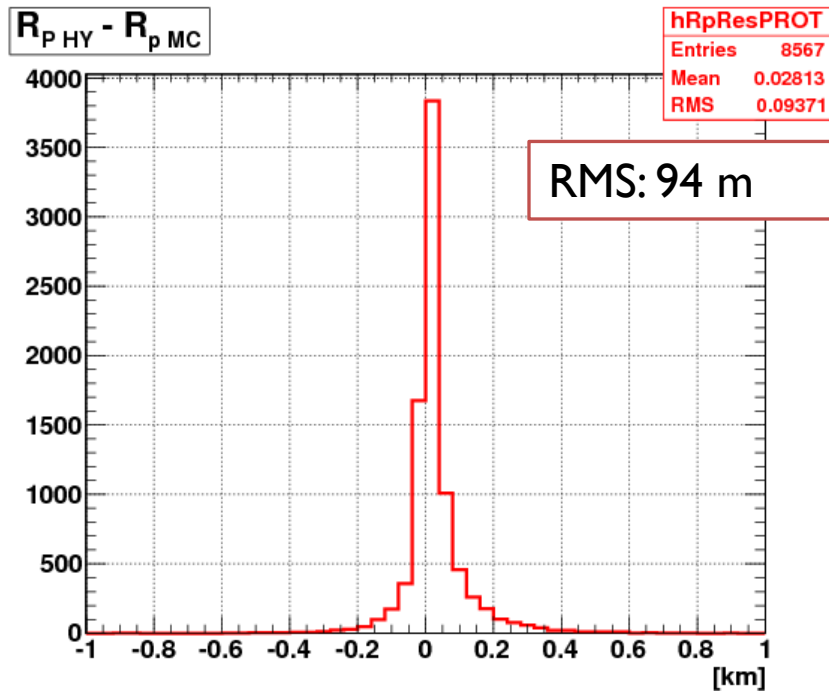
**Use hybrid events where  
the SD trigger aperture is  
flat**



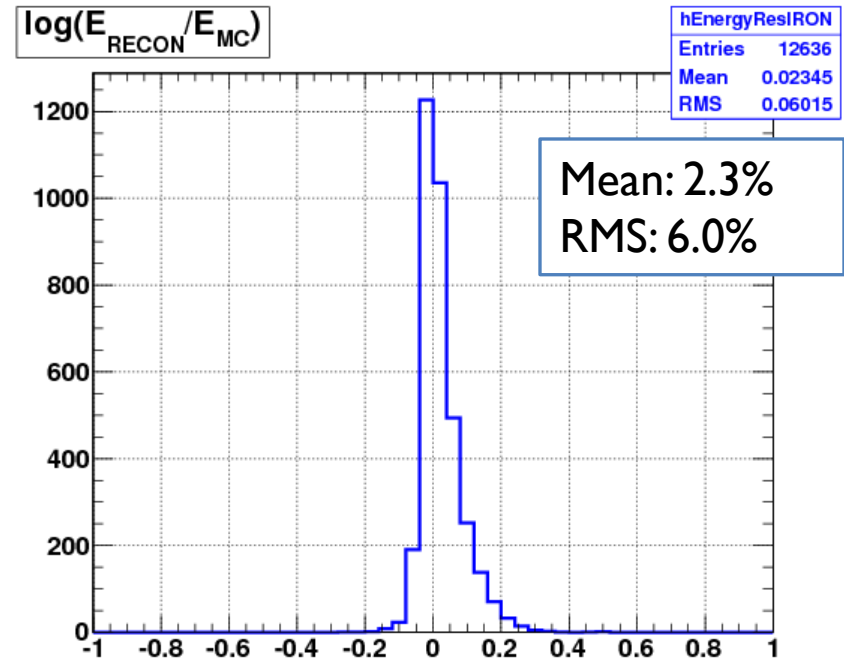
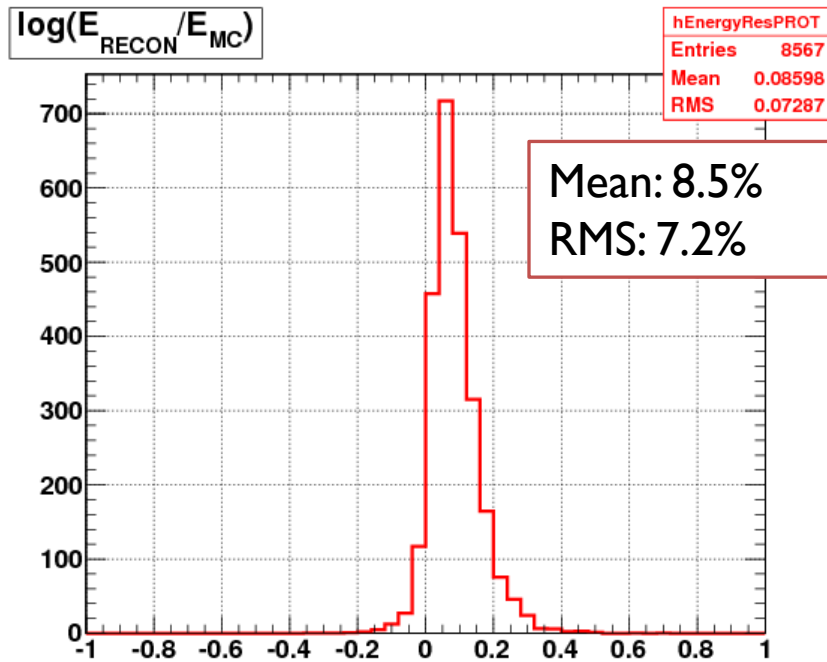
# Resolution Studies (Zenith)



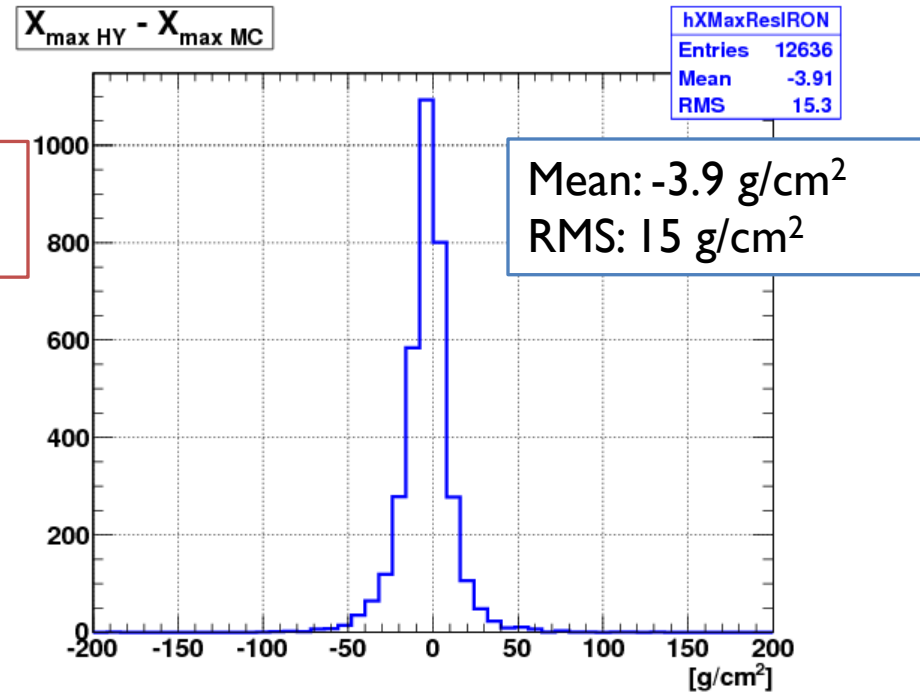
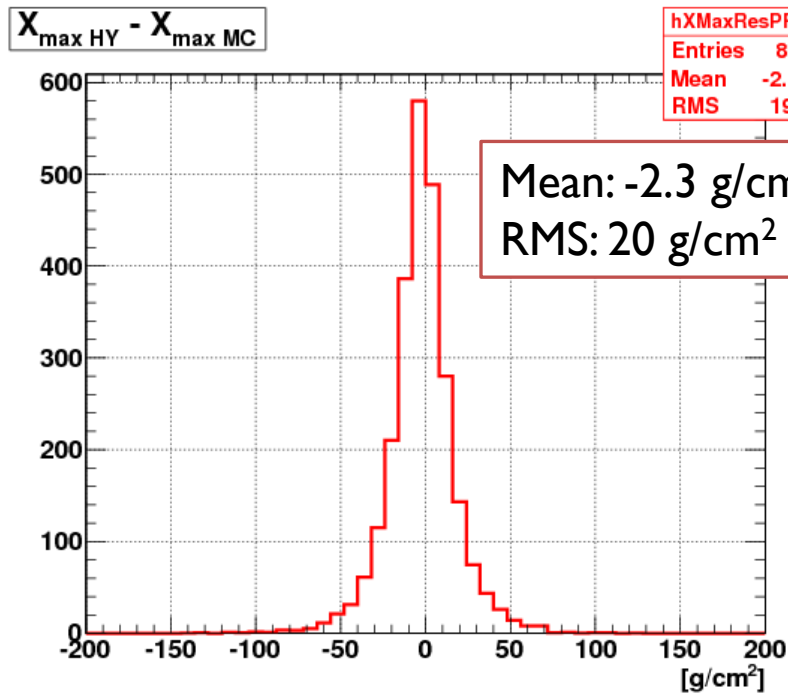
# Resolution Studies ( $R_p$ )



# Resolution Studies (Energy)

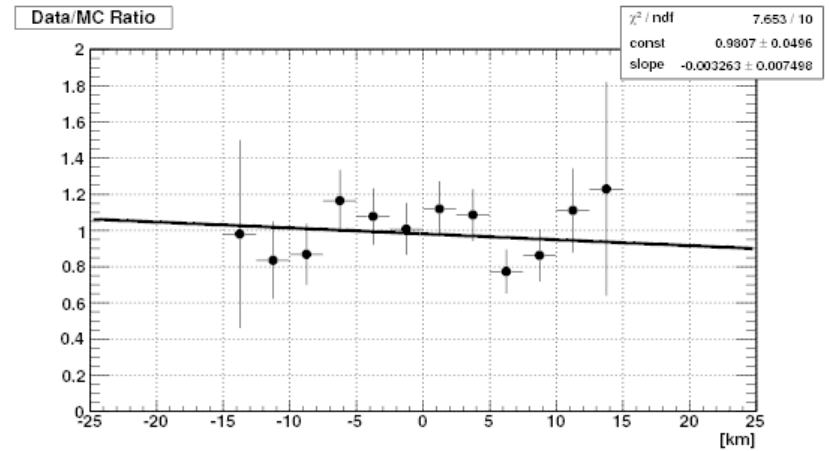
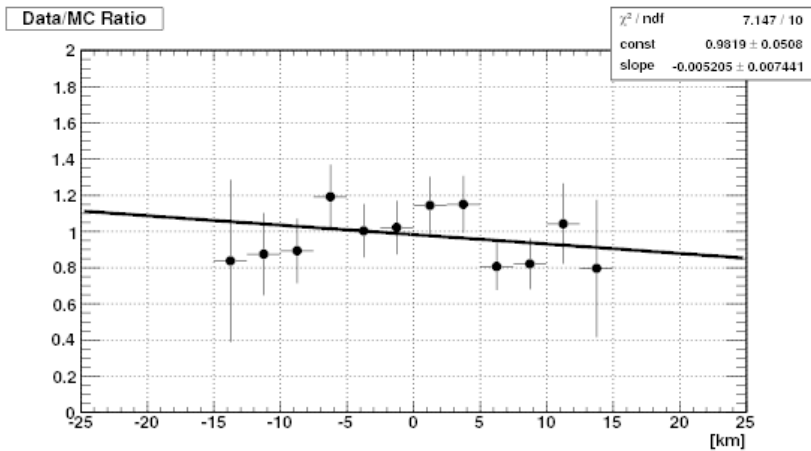
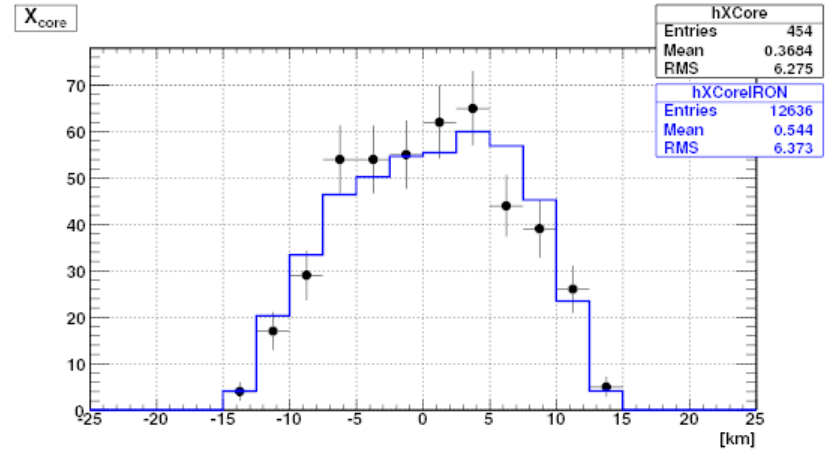
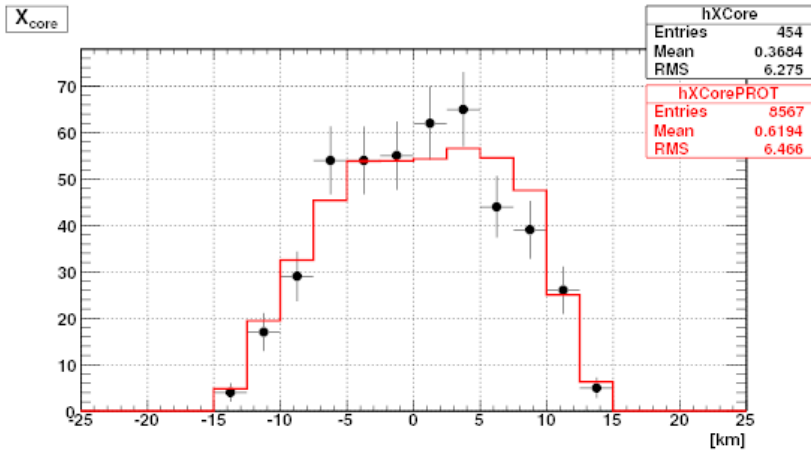


# Resolution Studies ( $X_{\max}$ )

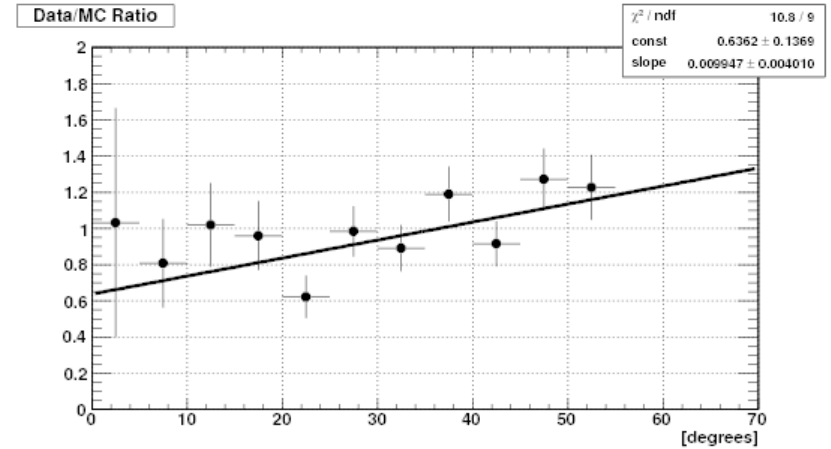
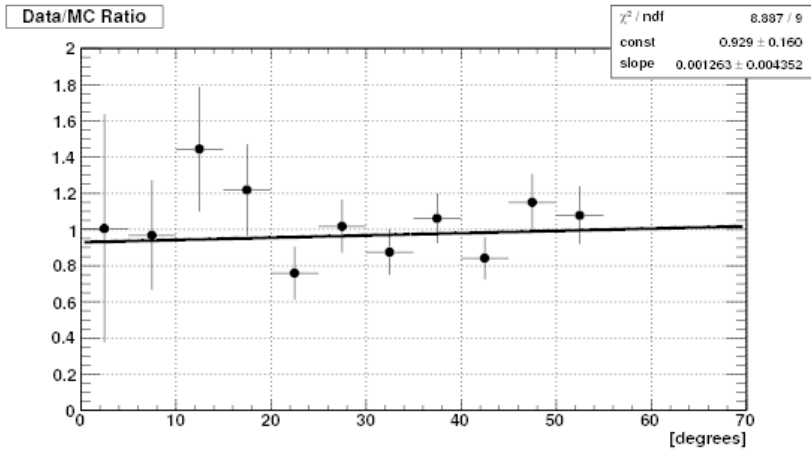
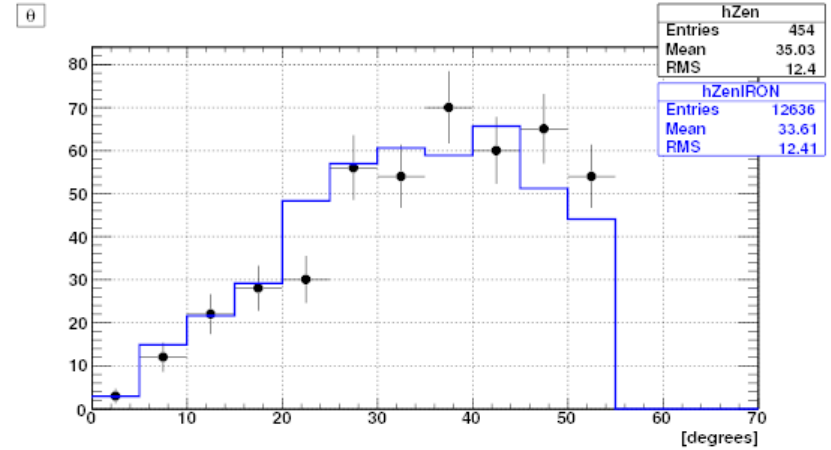
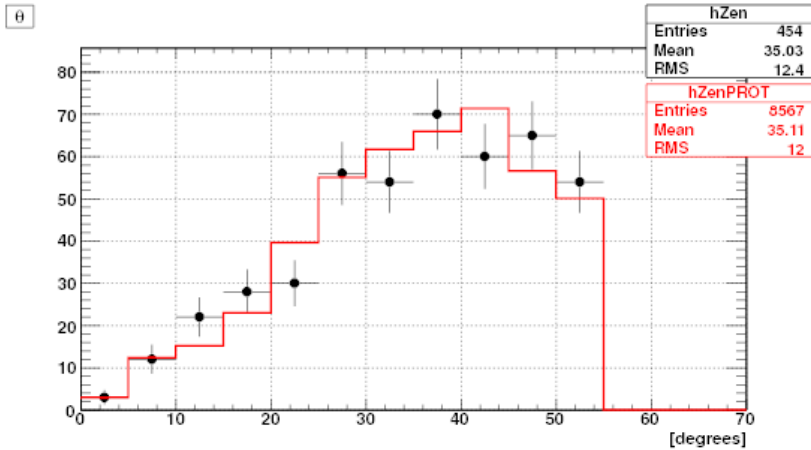




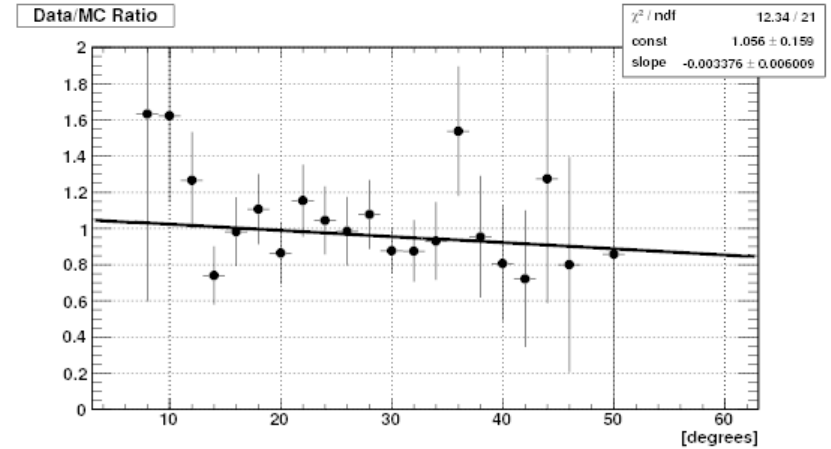
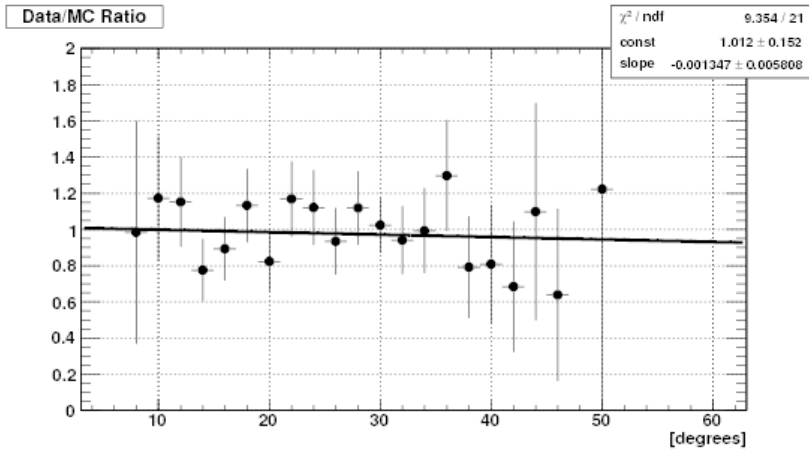
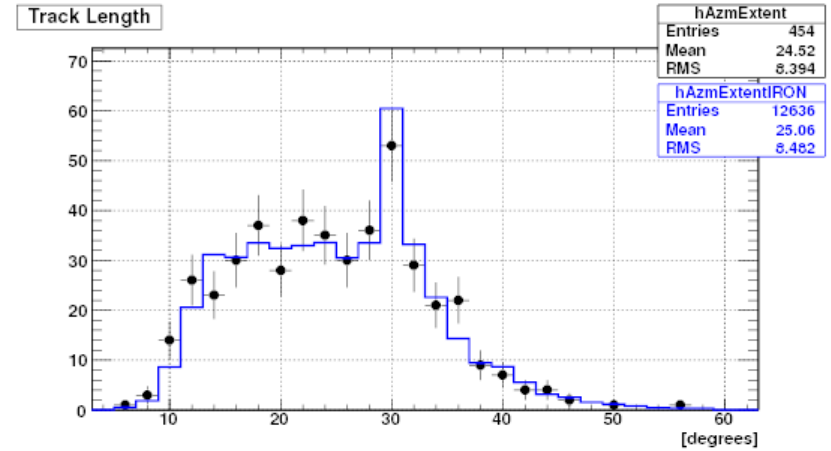
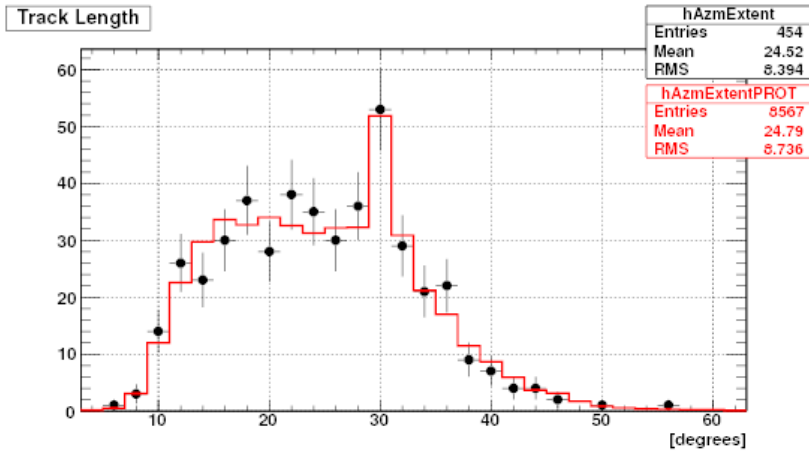
# Data/Monte Carlo ( $X_{\text{core}}$ )



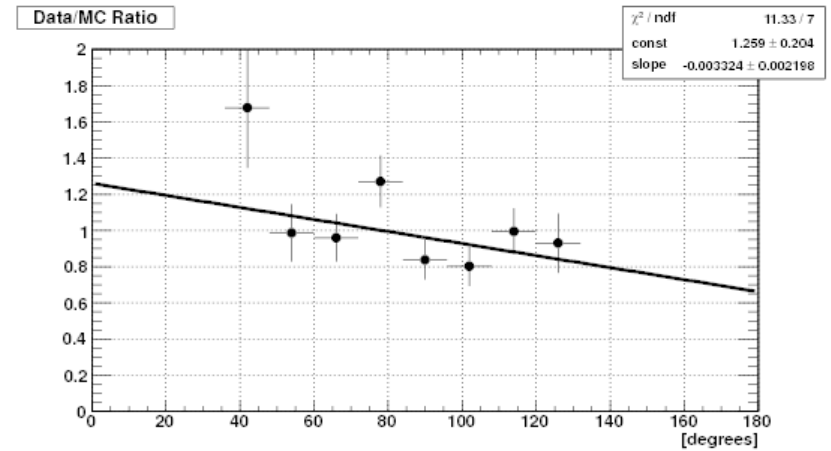
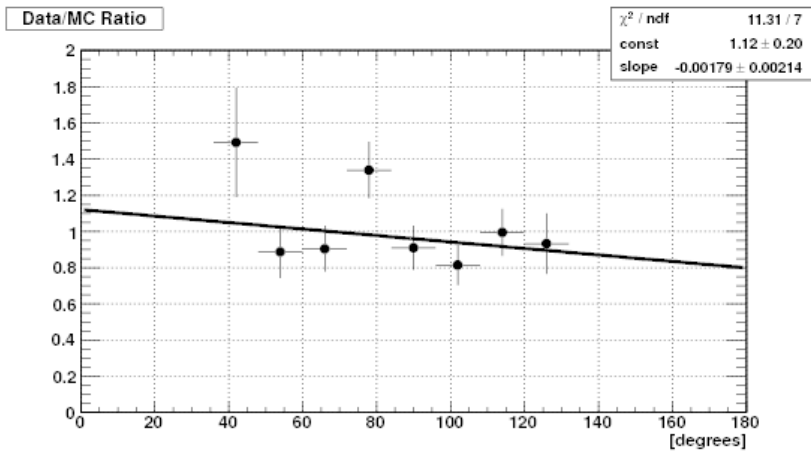
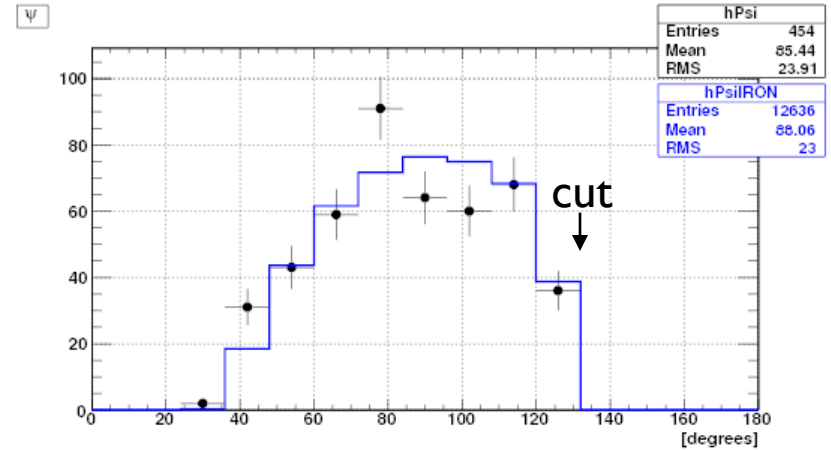
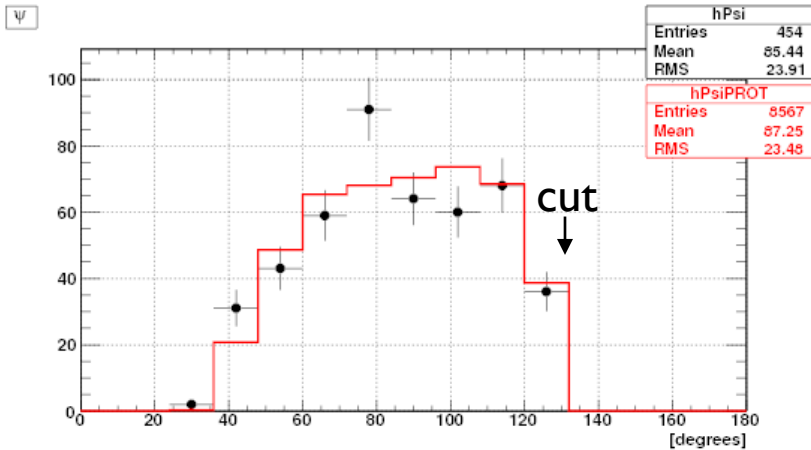
# Data/Monte Carlo (Zenith Angle)



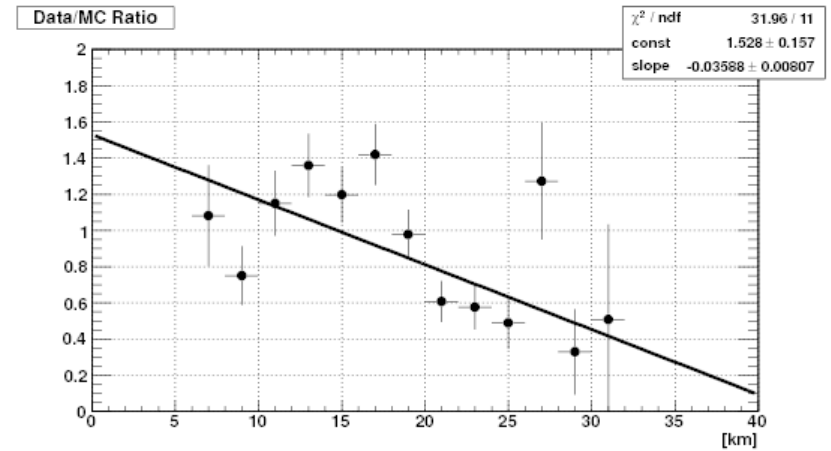
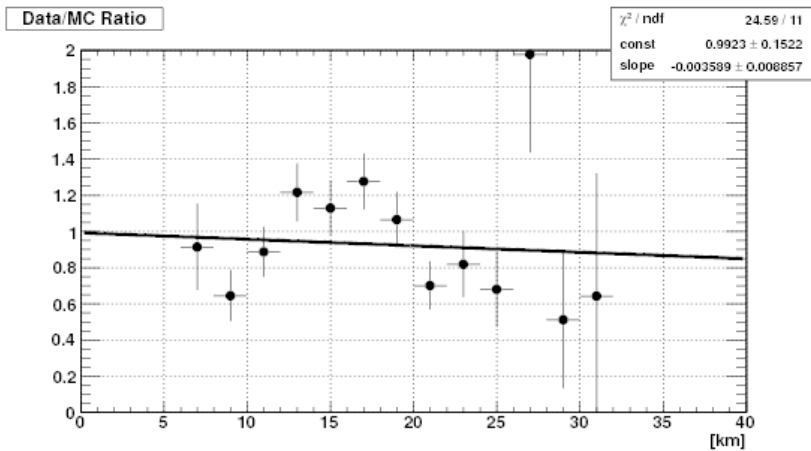
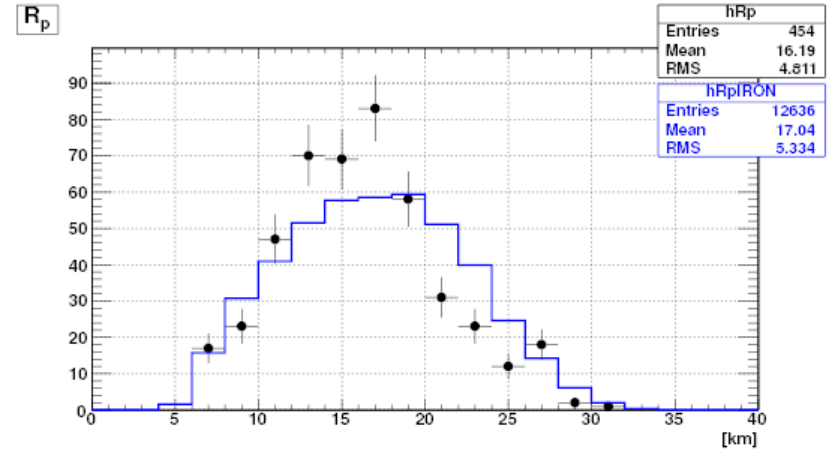
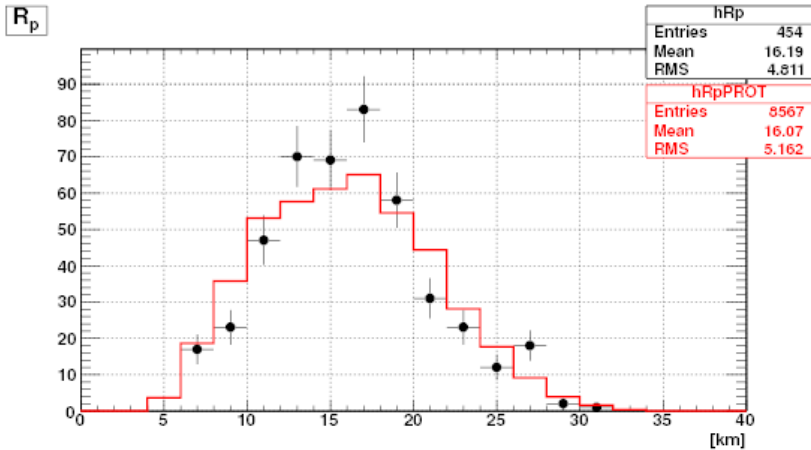
# Data/Monte Carlo (Track Length)



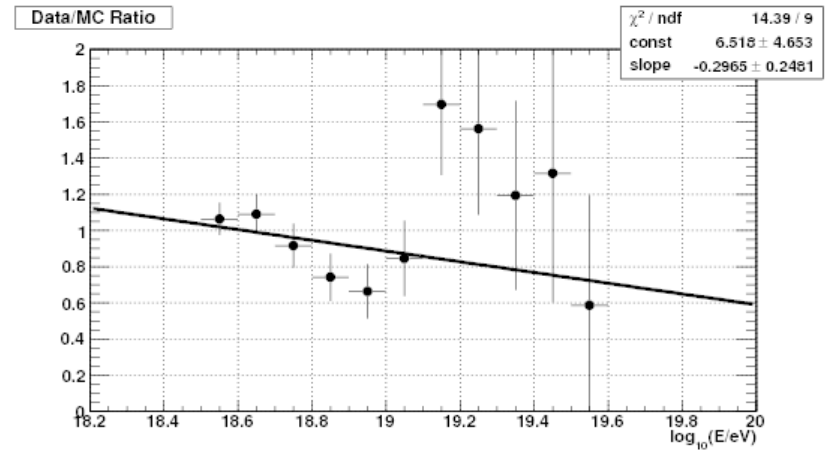
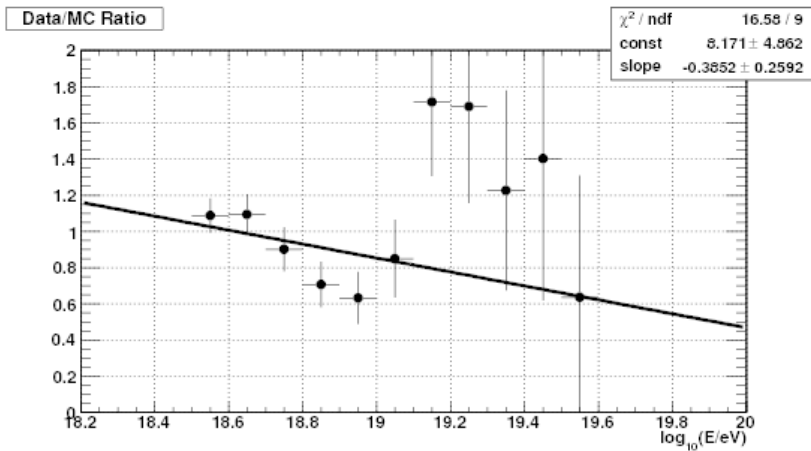
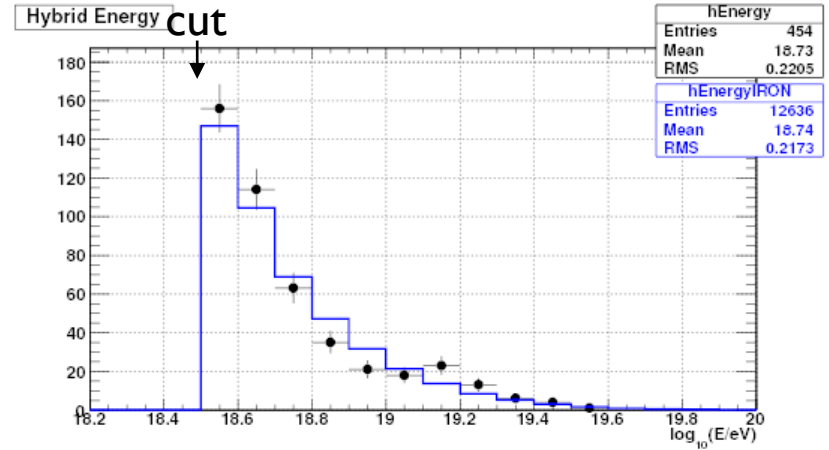
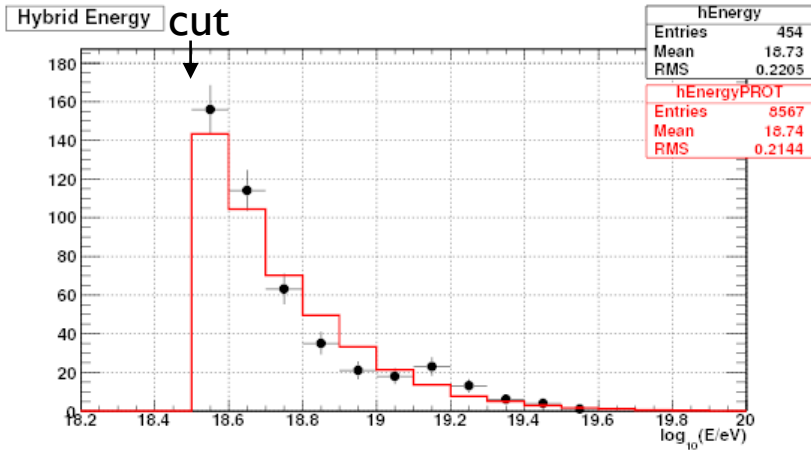
# Data/Monte Carlo ( $\psi$ )



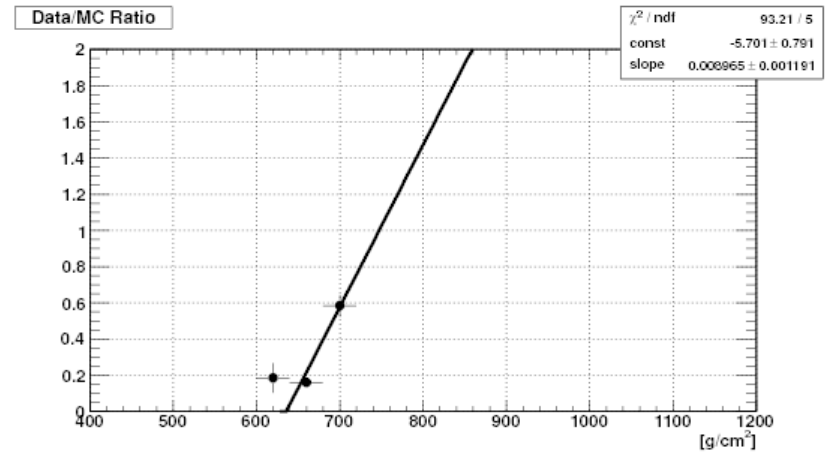
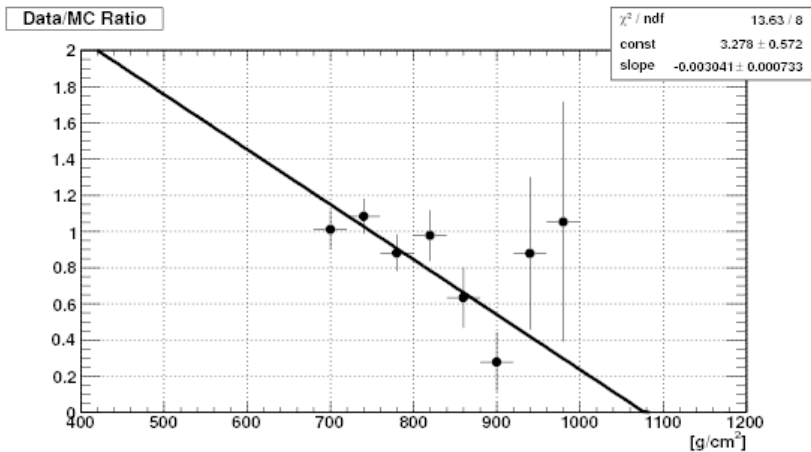
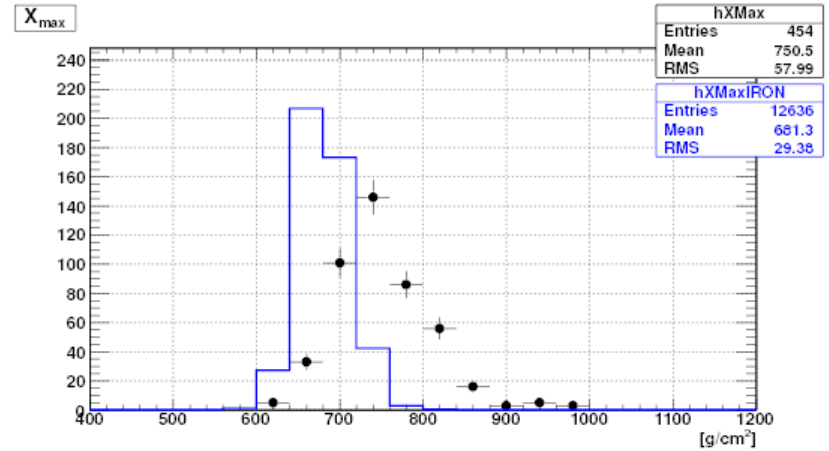
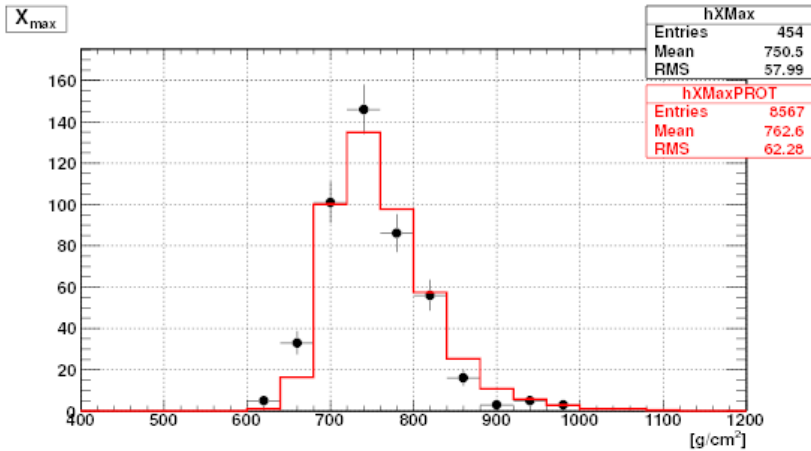
# Data/Monte Carlo ( $R_p$ )



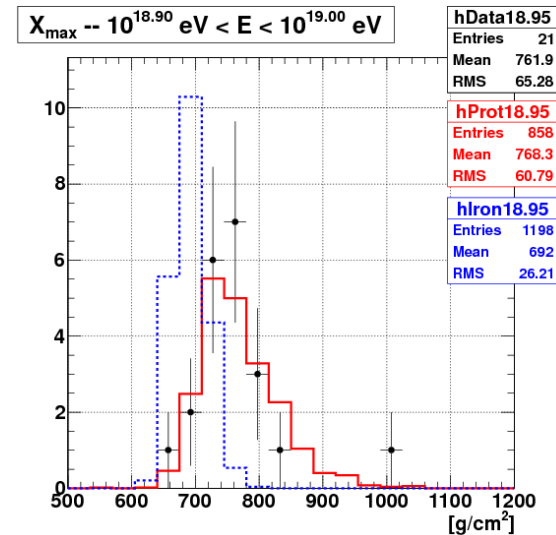
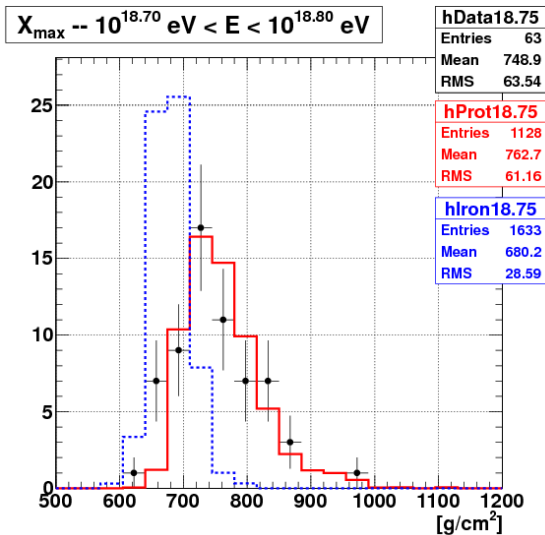
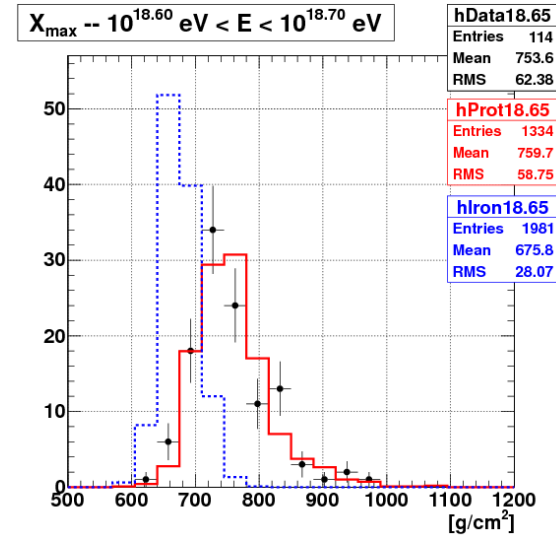
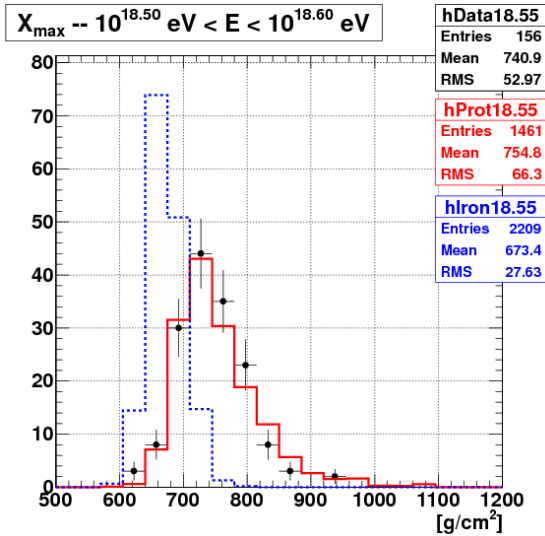
# Data/Monte Carlo (Energy)



# Data/Monte Carlo ( $X_{\max}$ )

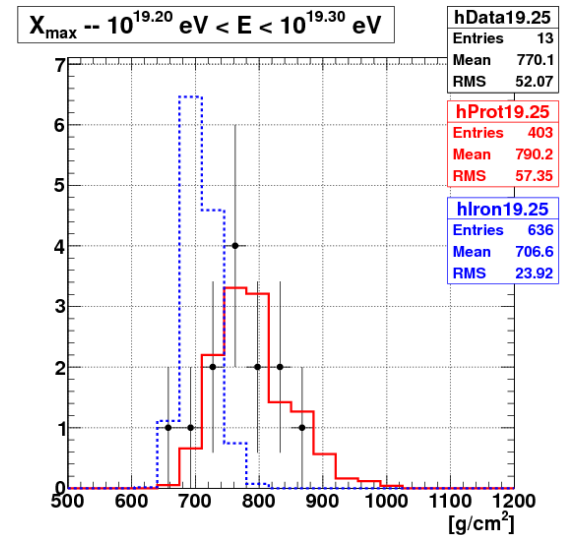
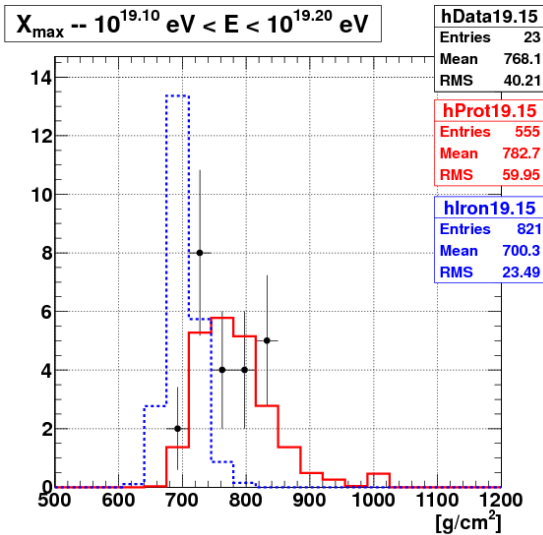
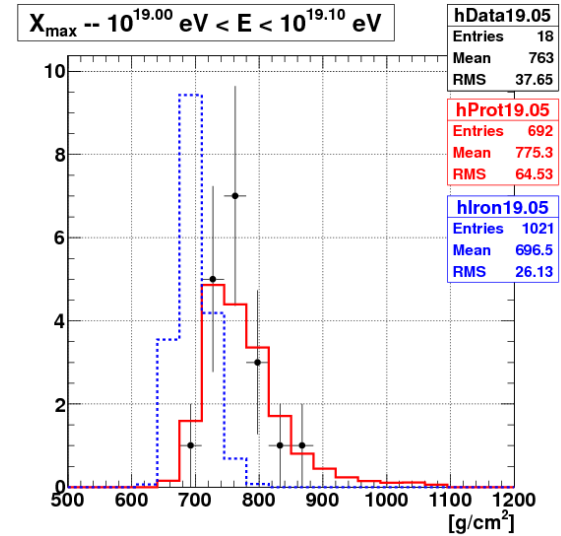
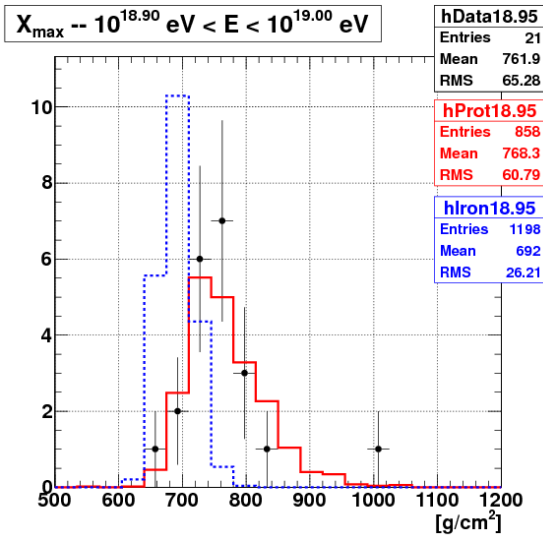


# $X_{\max}$ ( $10^{18.5}$ eV $< E < 10^{18.9}$ eV)

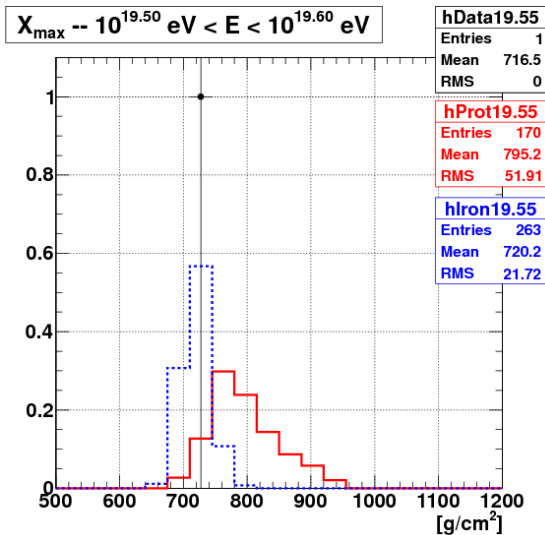
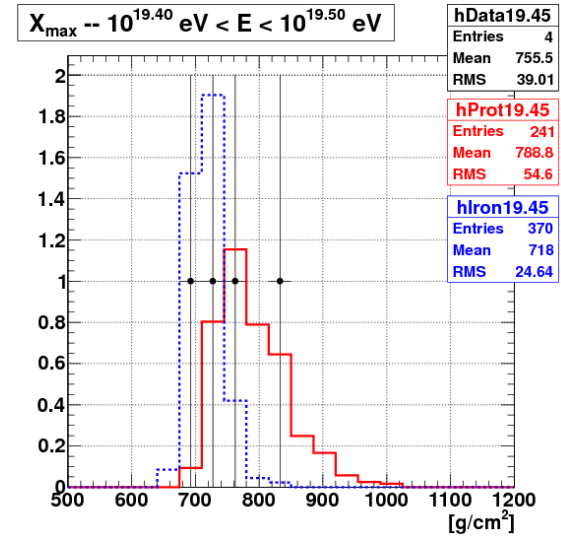
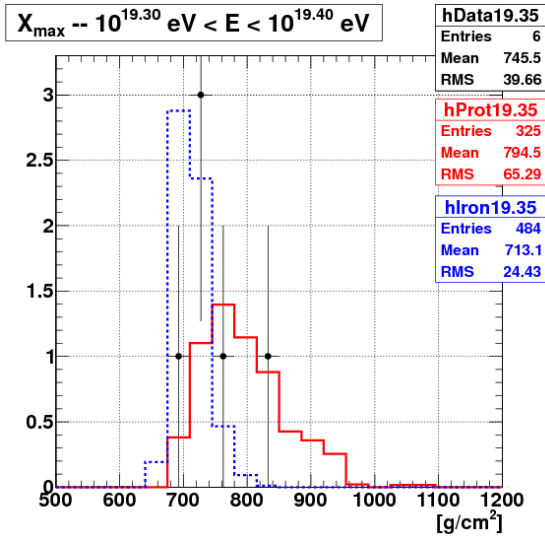




# $X_{\max}$ ( $10^{18.9}$ eV $< E < 10^{19.3}$ eV)

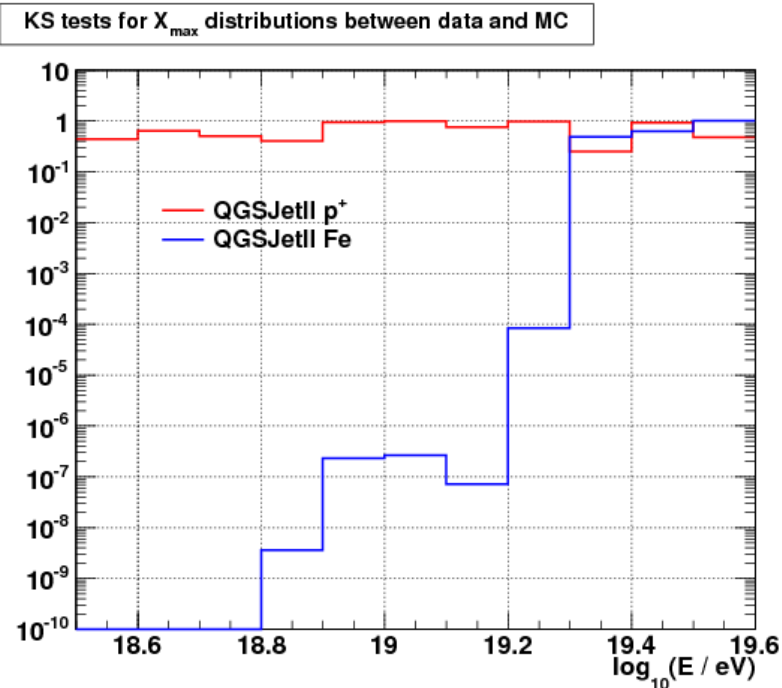


# $X_{\max}$ ( $E > 10^{19.3}$ eV)



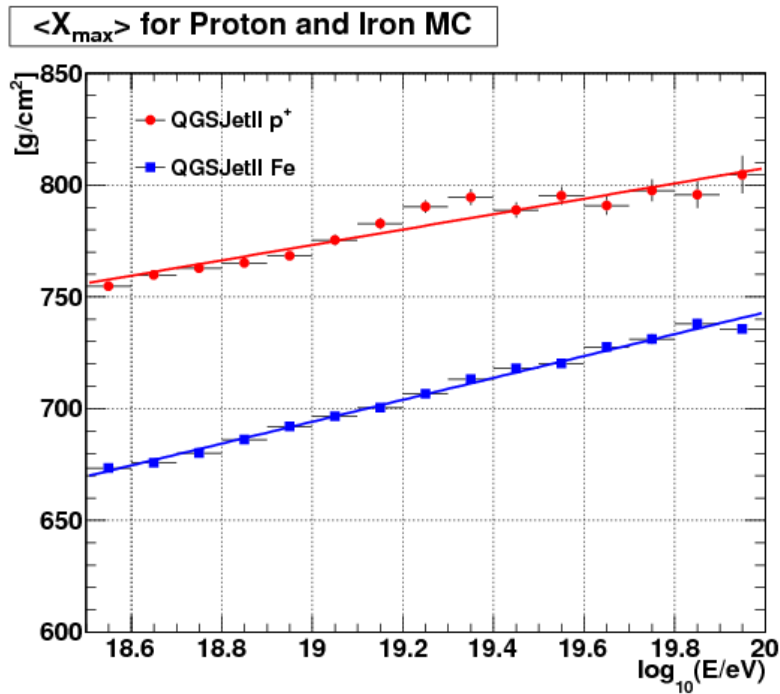
# Compatibility with MC

- ▶ Using the binned  $X_{\max}$  distributions (slides 55-57) we may use statistical tests to compare the distributions
- ▶ Completely excludes iron MC until  $10^{19.3}$  eV

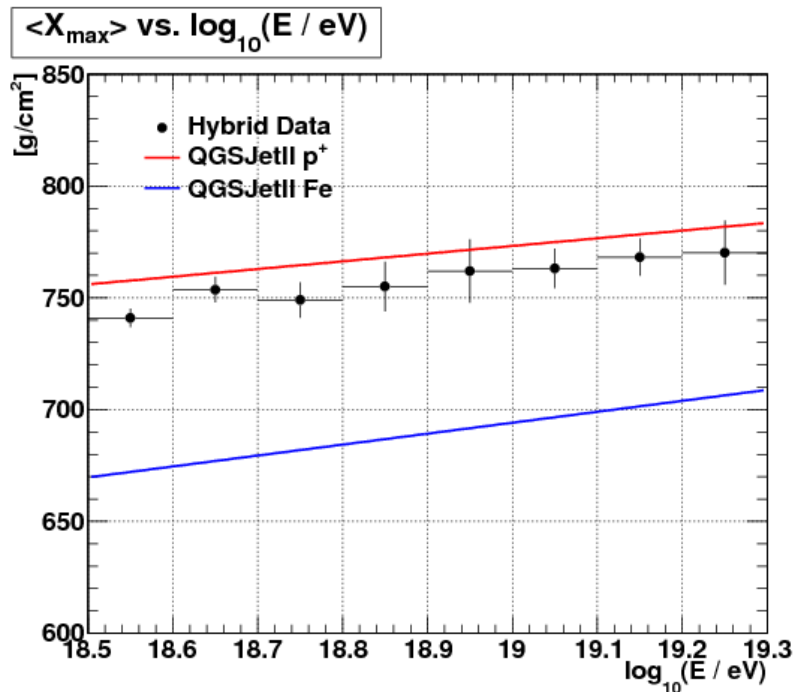


# MC Study: Mean $X_{\max}$

- ▶ The  $\langle X_{\max} \rangle$  can provide a single measurement to quantify the distributions in each energy bin
- ▶ The fits shown here for proton and iron MC will be used to compare against the data



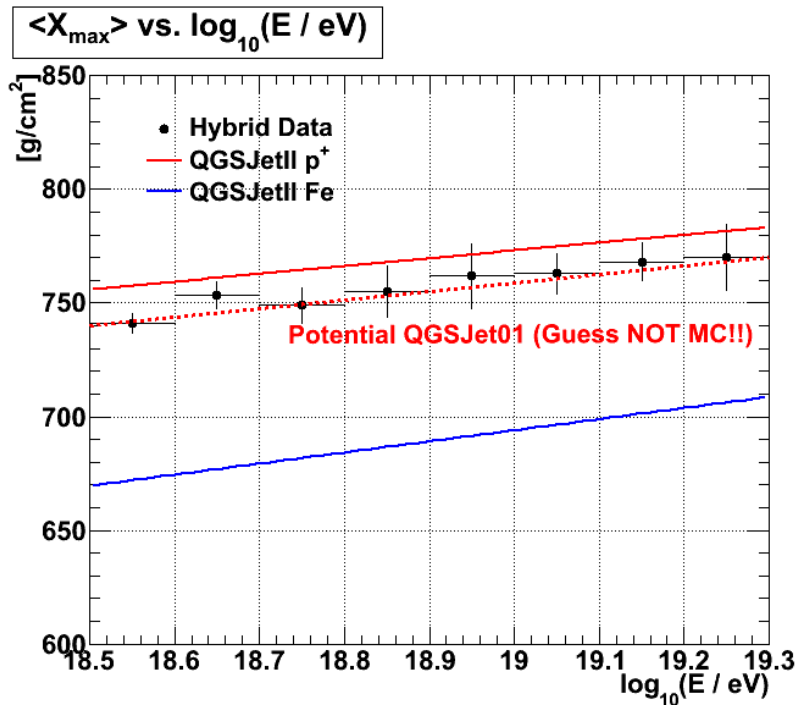
# Mean $X_{\max}$



- ▶ The mean  $X_{\max}$  from the data agrees with proton MC
- ▶ The data is shifted 10 g/cm<sup>2</sup> shallower than the MC
- ▶ Would find better agreement with different hadronic model
  - ▶ QGSJet01

# Mean $X_{\max}$

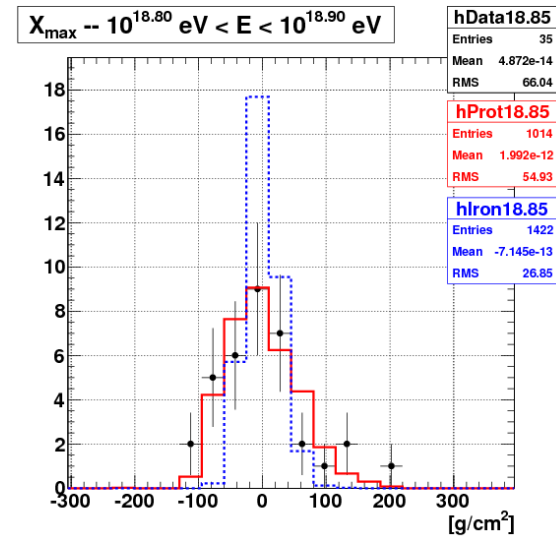
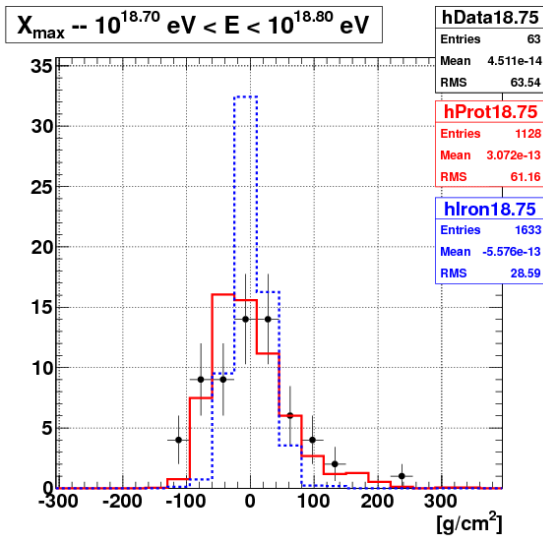
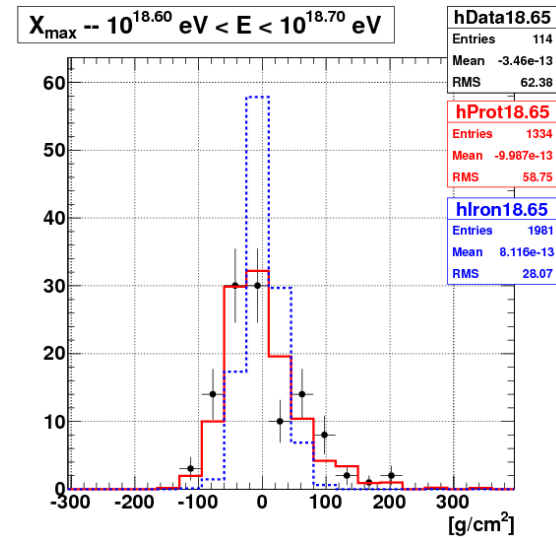
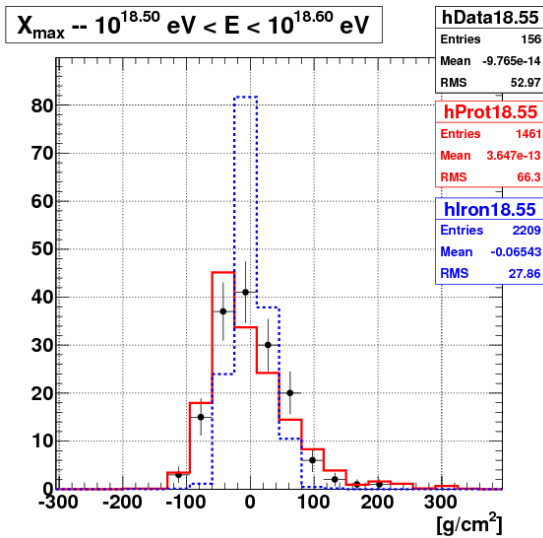
## QGSJet01??



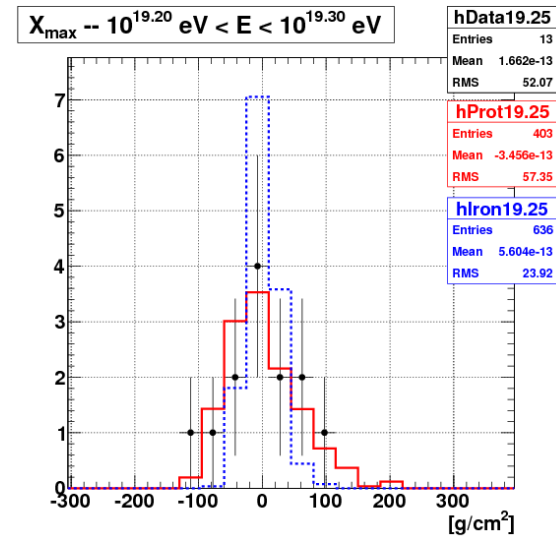
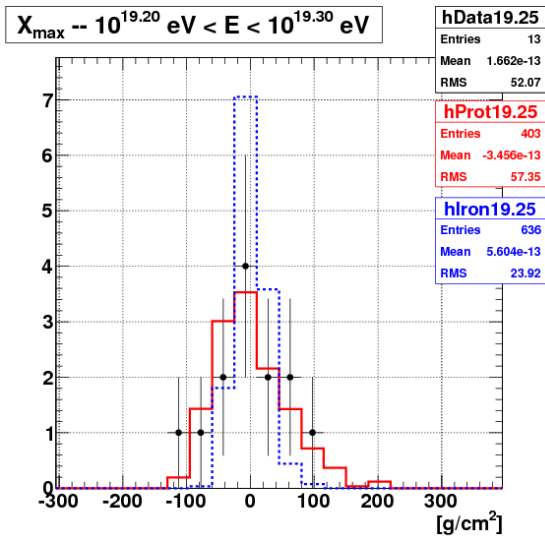
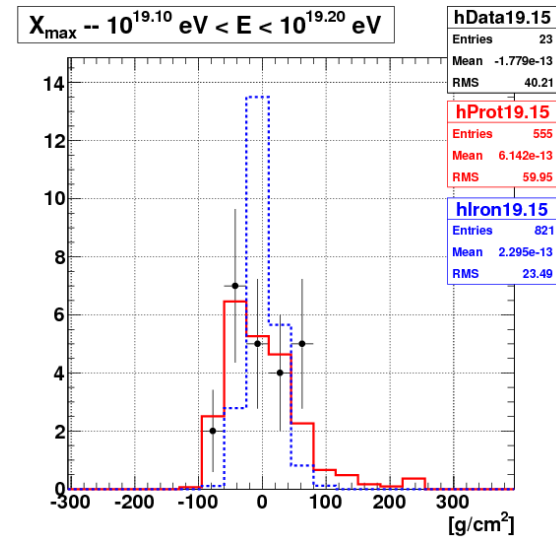
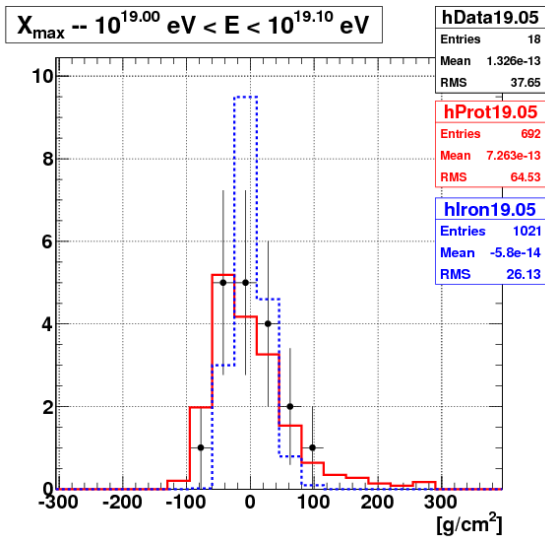
- ▶ The mean  $X_{\max}$  from the data agrees with proton MC
- ▶ The data is shifted 10  $\text{g}/\text{cm}^2$  shallower than the MC
- ▶ Would find better agreement with different hadronic model
  - ▶ QGSJet01



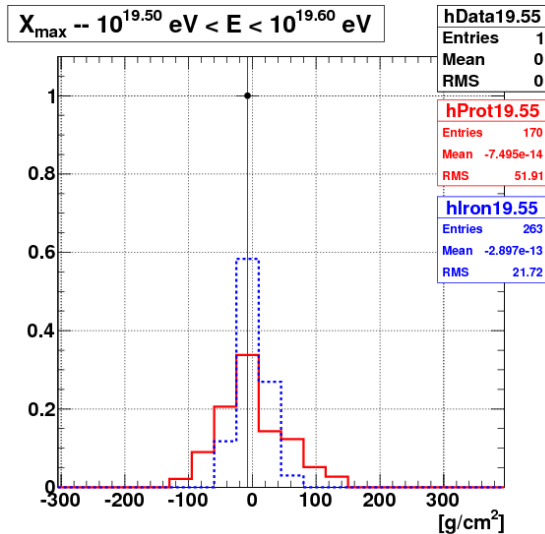
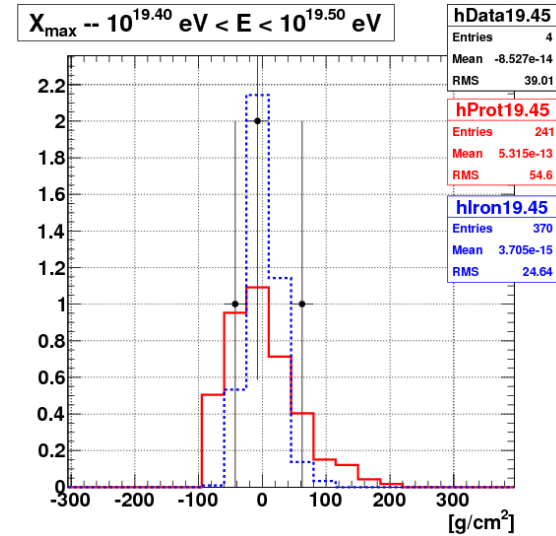
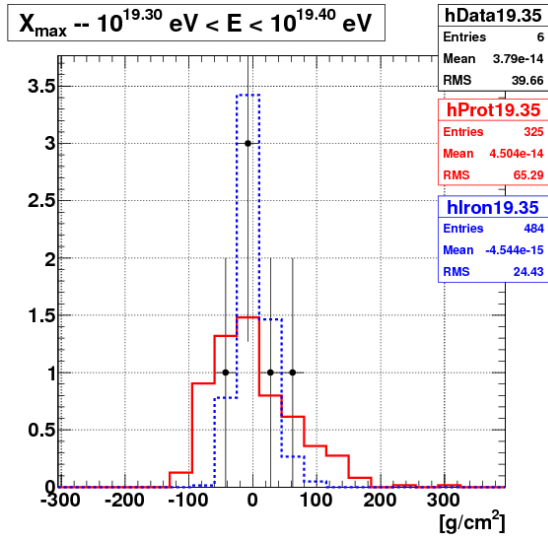
# Shifted $X_{\max}$ ( $10^{18.5} \text{ eV} < E < 10^{18.8} \text{ eV}$ )



# Shifted $X_{\max}$ ( $10^{18.8}$ eV $< E < 10^{19.3}$ eV)

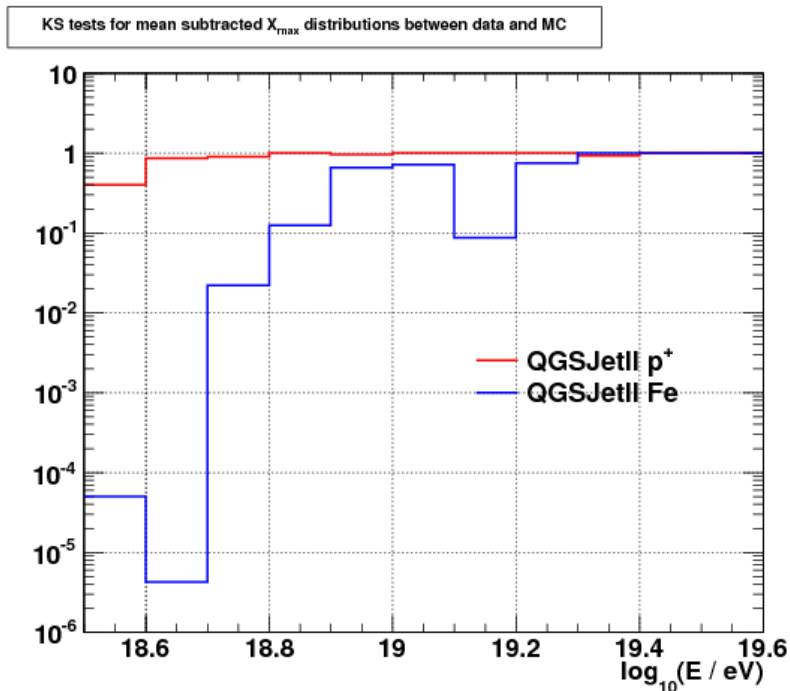


# Shifted Xmax ( $E > 10^{19.3}$ eV)



# Compatibility of shifted $X_{\max}$ with MC

- ▶ Statistical tests of the shifted distributions provide compatibility of the shape
- ▶ Iron MC is excluded below  $10^{18.8}$  eV
- ▶ Otherwise the statistical power is limited above  $10^{18.8}$  eV



# Conclusions

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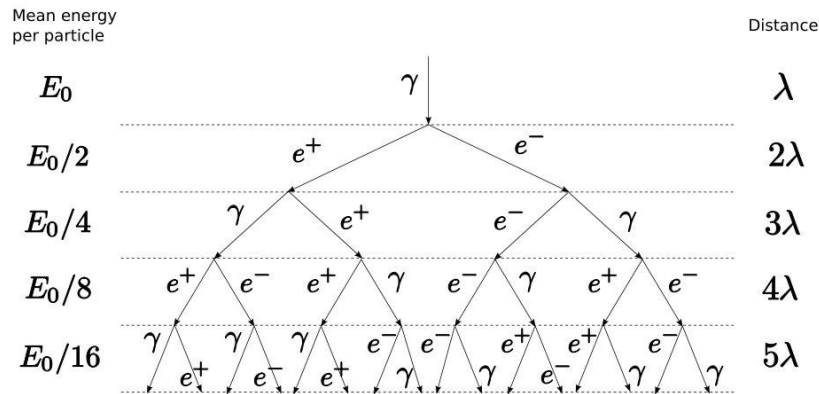
- ▶ This study shows very clear compatibility with proton MC and exclude iron MC below  $10^{19.3}$  eV
- ▶ Data shows a 10 g/cm<sup>2</sup> shift in  $X_{\max}$  from QGSJetII protons
- ▶ Measurement of width and “shape” of  $X_{\max}$  distributions corroborate the proton compatibility below  $10^{18.8}$  eV
- ▶ This result supports the GZK cutoff and pair-production theories to explain features of the cosmic ray spectrum

# Support Slides

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# Electromagnetic Cascade (Heitler Model)



- ▶ High energy photons pair produce producing  $e^{+/-}$
- ▶  $e^{+/-}$  bremsstrahlung producing photons
- ▶ Critical energy when electrons lost to ionization is dominate
  - ▶ 84 MeV in the atmosphere
- ▶  $X_{\max}$  may be observed with UV sensitive telescopes

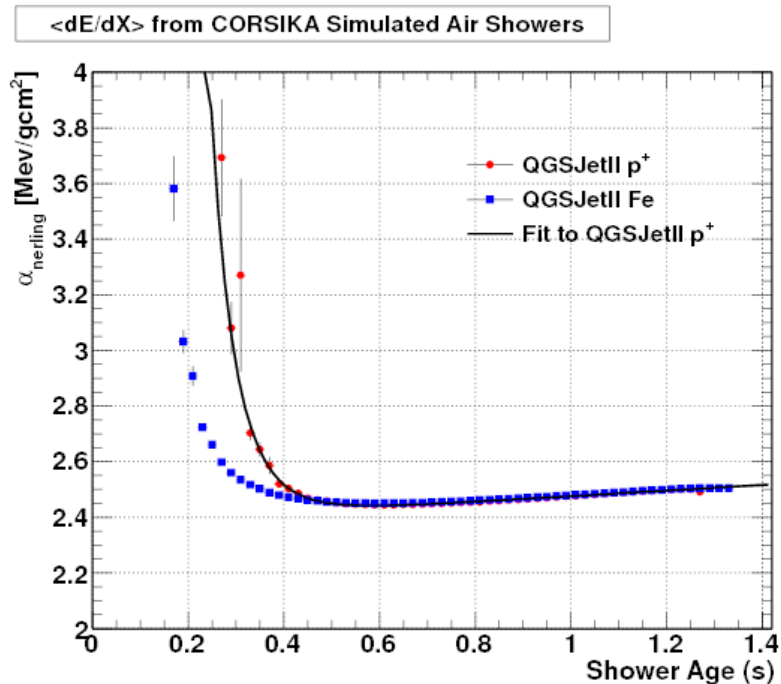
$$N(X) = 2^n = 2^{X/\lambda}$$

$$E_p(X) = \frac{E_0}{N(X)} = \frac{E_0}{2^{X/\lambda}}$$

$$N_{\max} = E_0 / E_c$$

$$X_{\max} = \lambda \frac{\ln(E_0 / E_c)}{\ln(2)} \rightarrow \lambda \frac{\ln(E_0 / (AE_c))}{\ln(2)}$$

# Average Energy Deposited in CORSIKA



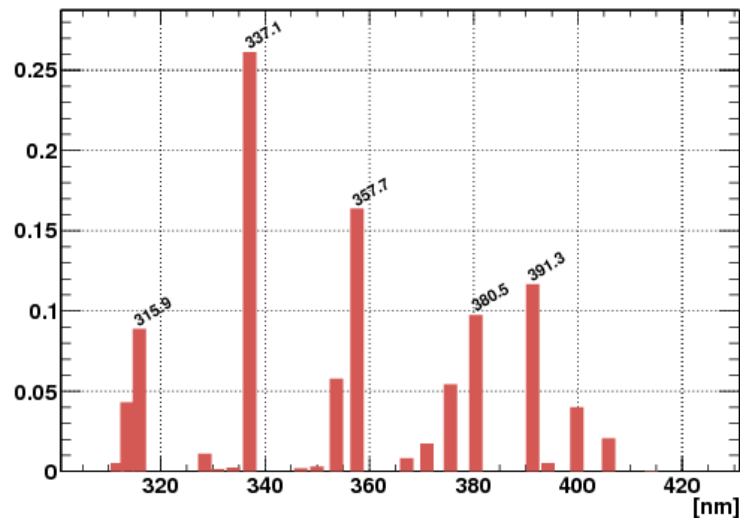
- ▶ CORSIKA simulations are used to calculate the average energy deposited by air shower
- ▶ Proton and iron simulations agree above  $s = 0.4$
- ▶ “age” is related to  $X$  as

$$s = \frac{3X}{2X + X_{\max}}$$

# Fluorescence Yield

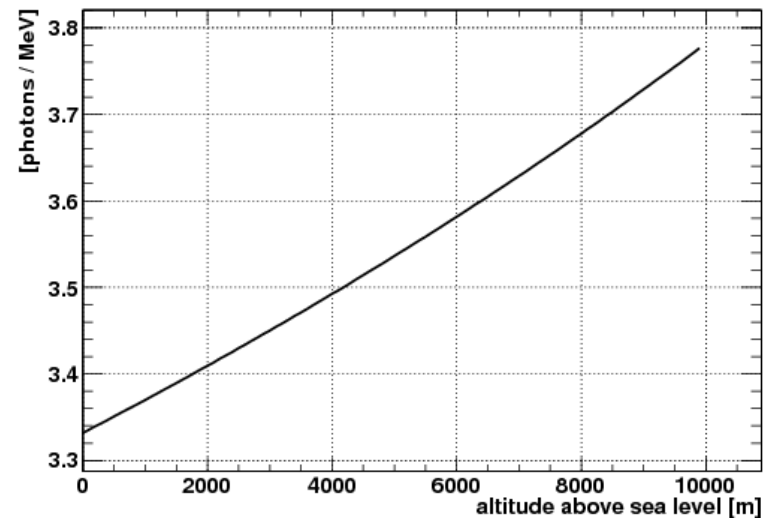
**N<sub>2</sub> fluorescence lines as measured by the FLASH experiment**

N<sub>2</sub> fluorescence lines from FLASH experiment



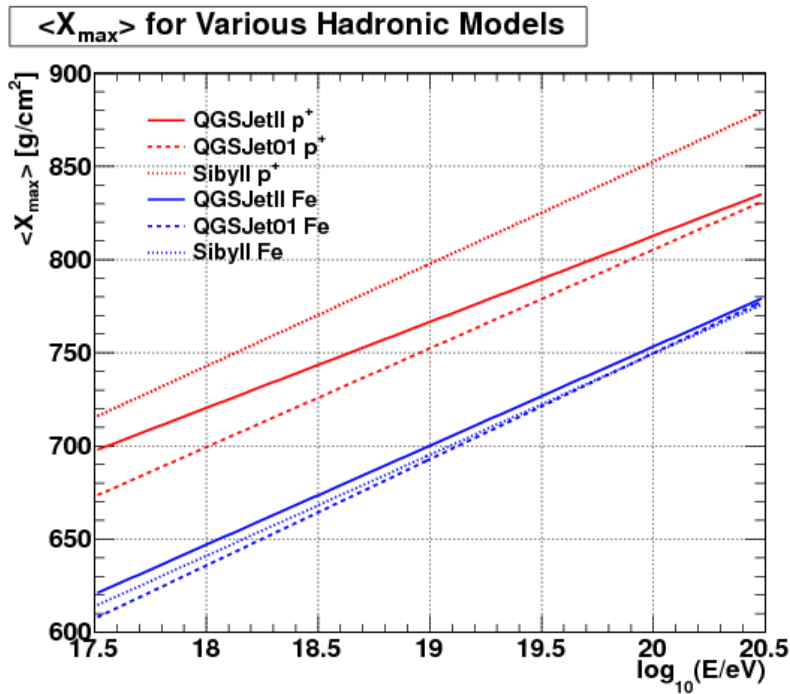
**Kakimoto fluorescence yield provides the number of photons per energy deposited**

Kakimoto Fluorescence Yield



# Model Dependence of $X_{\max}$

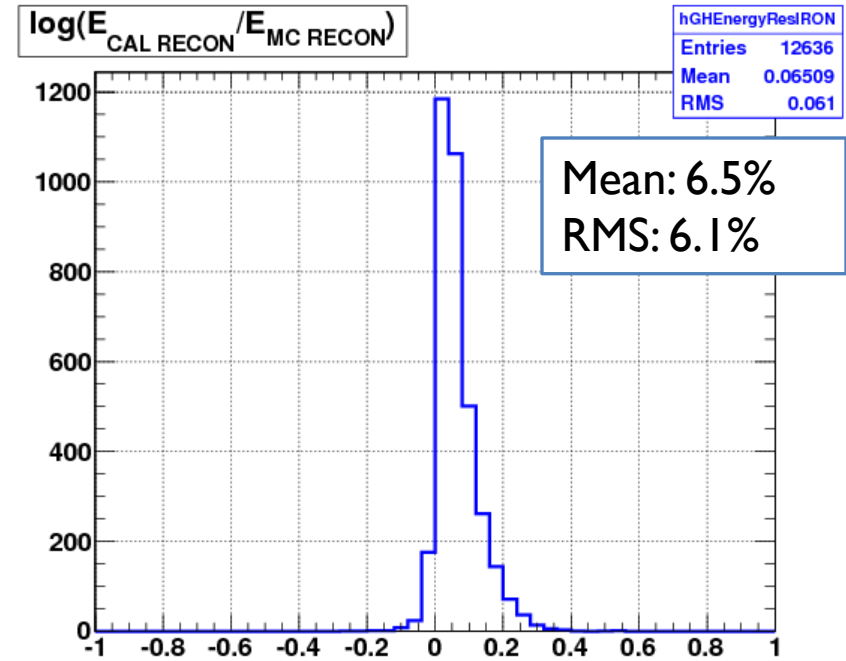
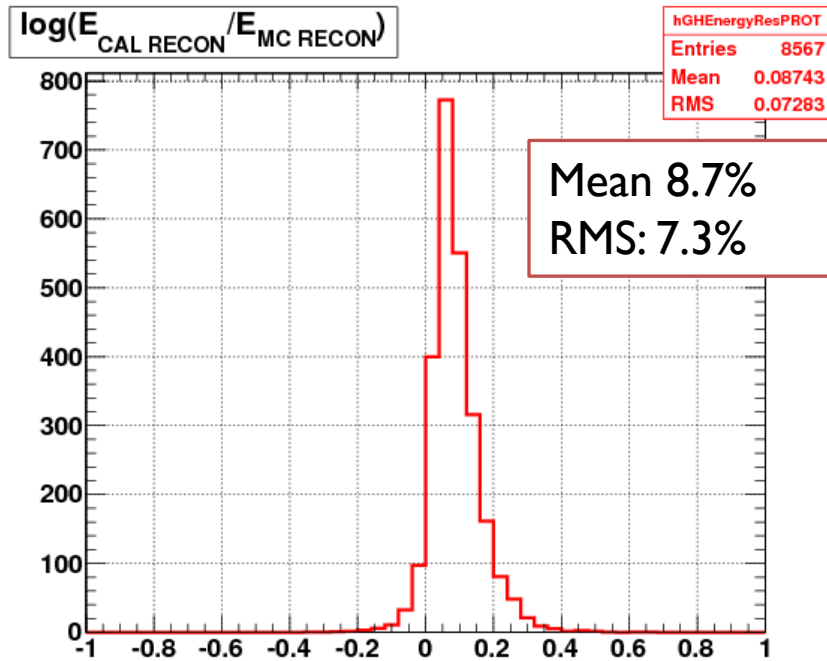
- ▶ Difference models of hadronic physics produce slightly different  $X_{\max}$
- ▶ Model parameters must be extrapolated from accelerator results



# Extra Resolutions

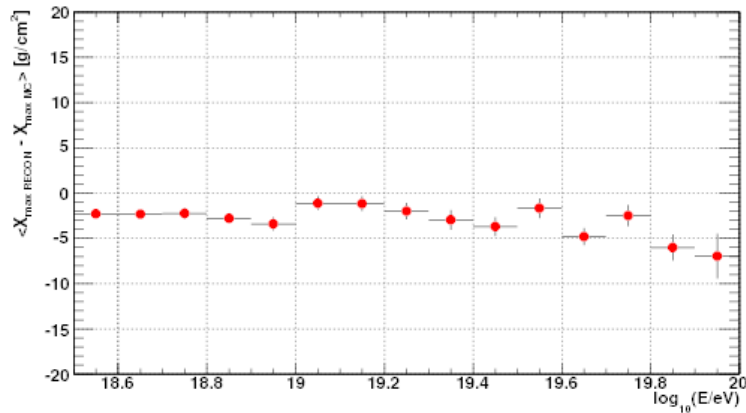
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# Resolution Studies (Cascade Energy)

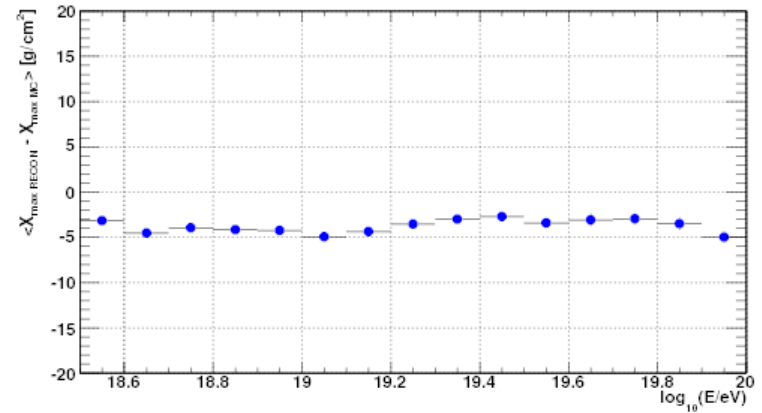


# Resolution Studies ( $X_{\max}$ in Energy)

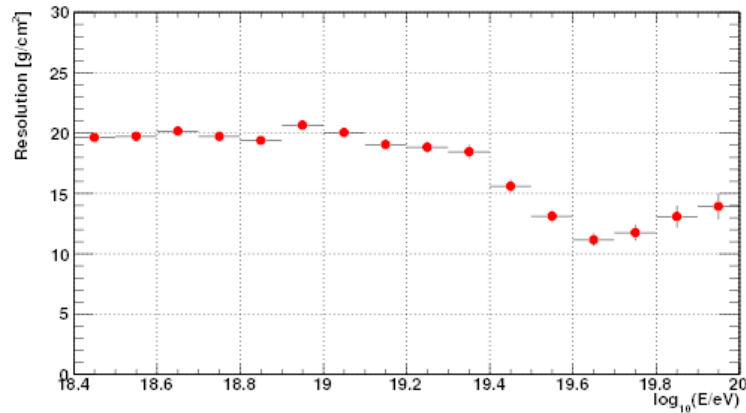
$X_{\max}$  Reconstruction Bias (Proton MC)



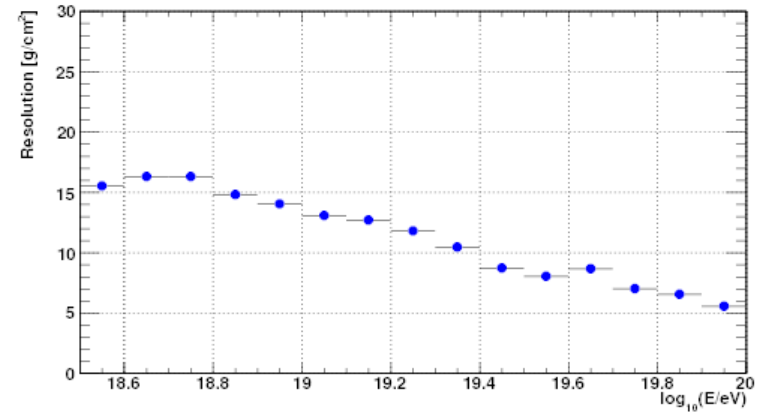
$X_{\max}$  Reconstruction Bias (Iron MC)



$X_{\max}$  Resolution (Proton MC)



$X_{\max}$  Resolution (Iron MC)

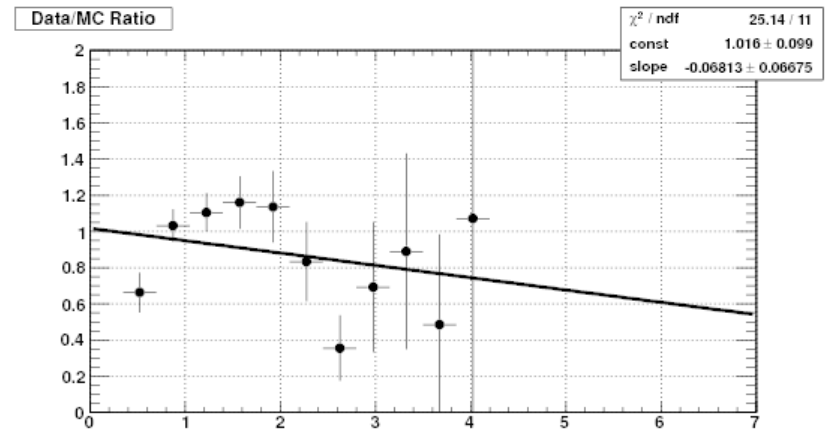
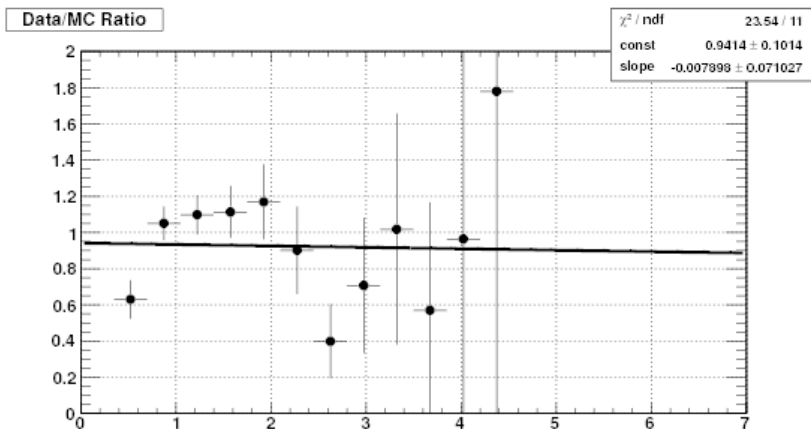
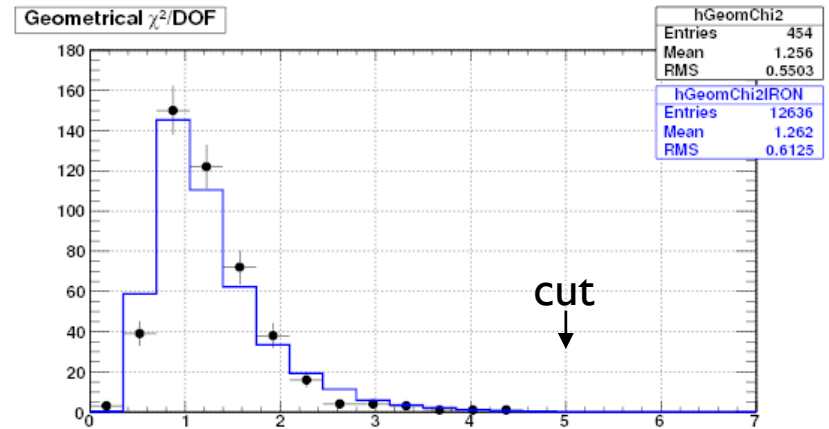
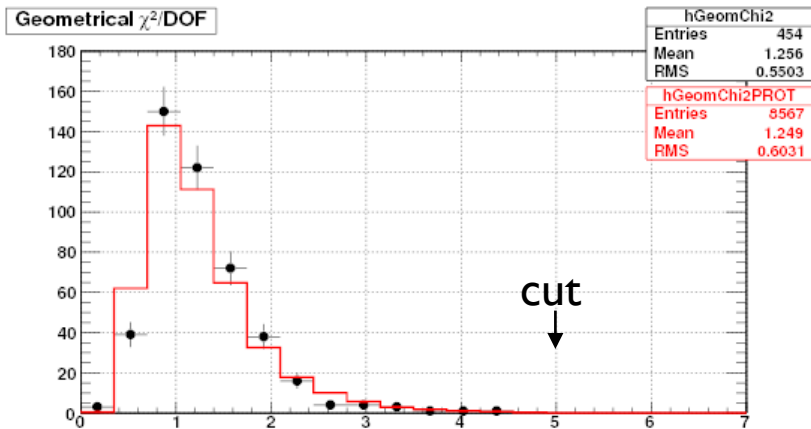


# Extra Comparison Plots

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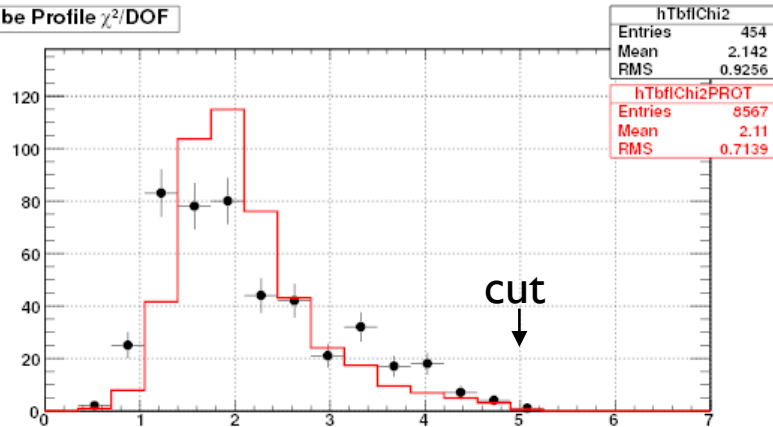


# Data/Monte Carlo ( $\chi_{\text{GEOM}}/\text{DOF}$ )

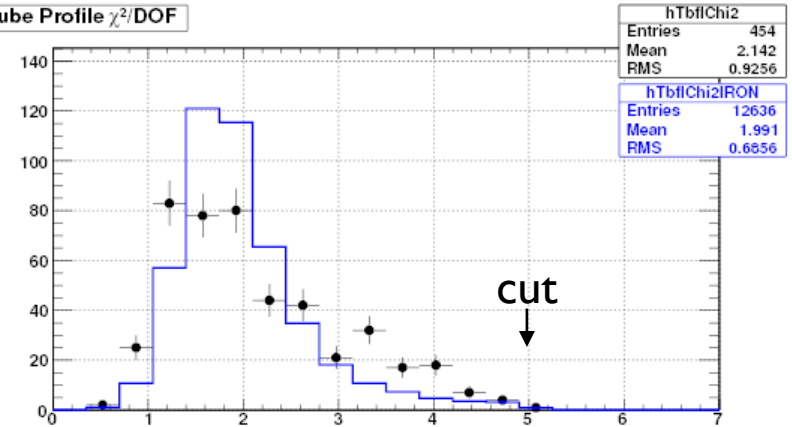


# Data/Monte Carlo ( $\chi_{\text{PRFL}}/\text{DOF}$ )

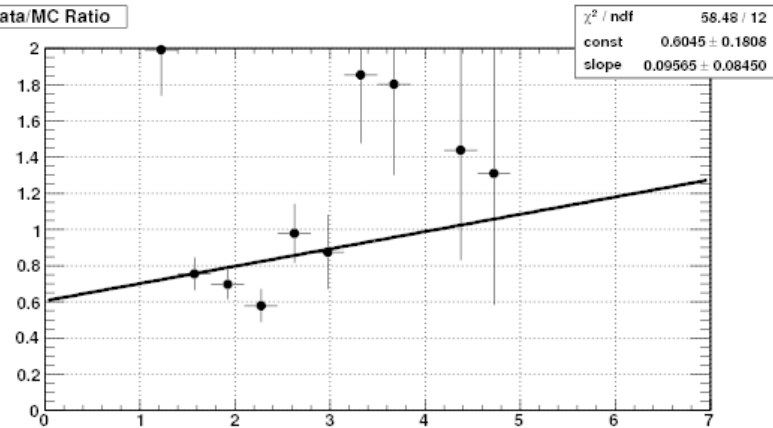
Tube Profile  $\chi^2/\text{DOF}$



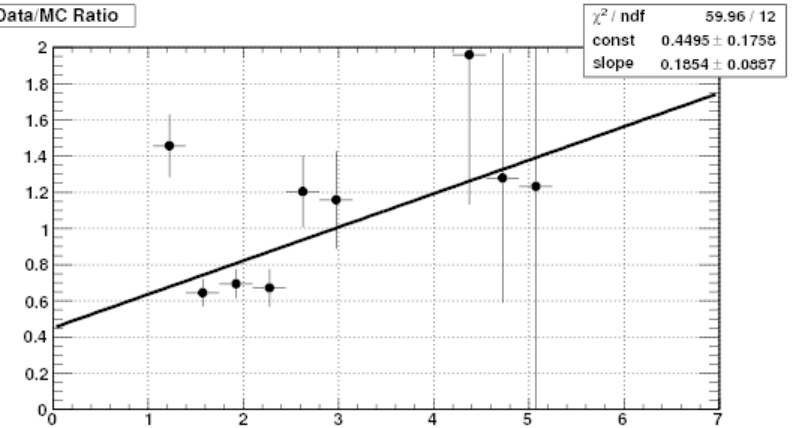
Tube Profile  $\chi^2/\text{DOF}$



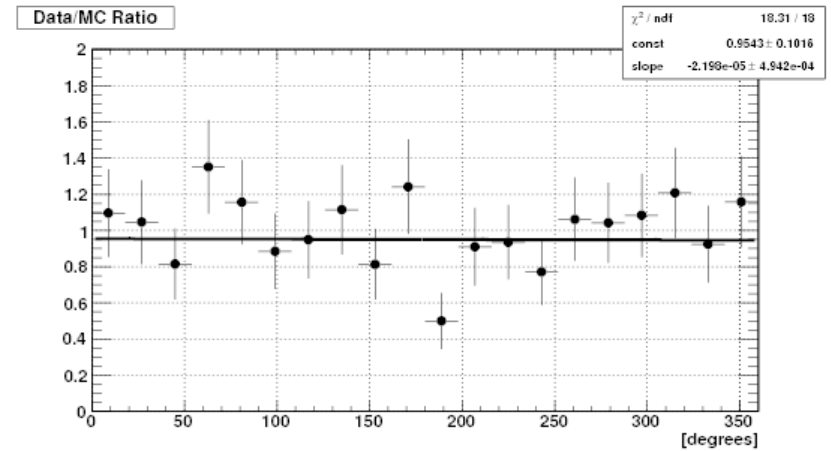
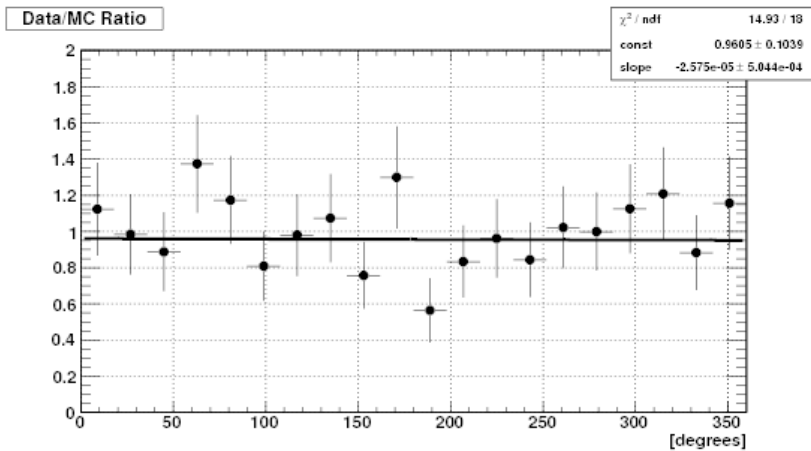
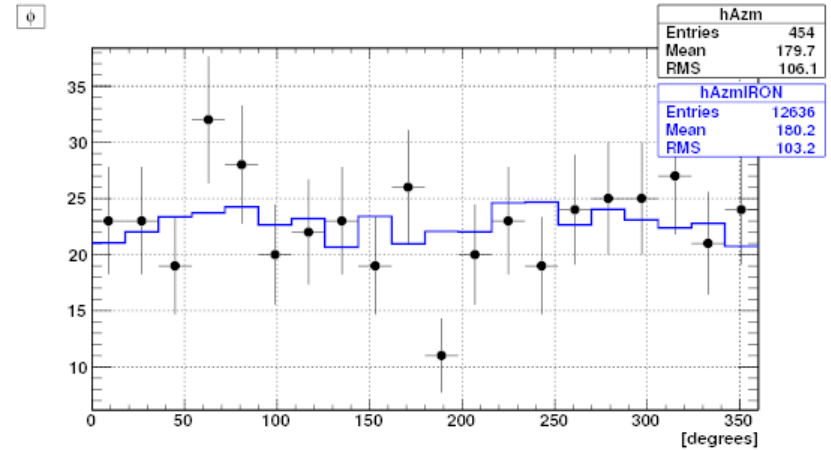
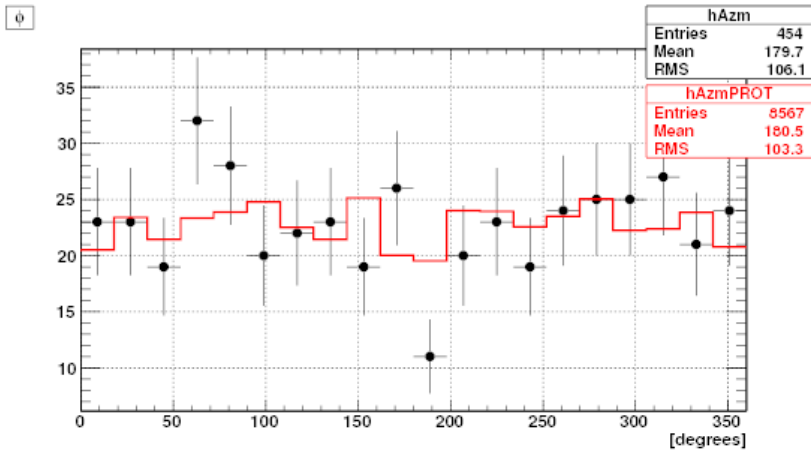
Data/MC Ratio



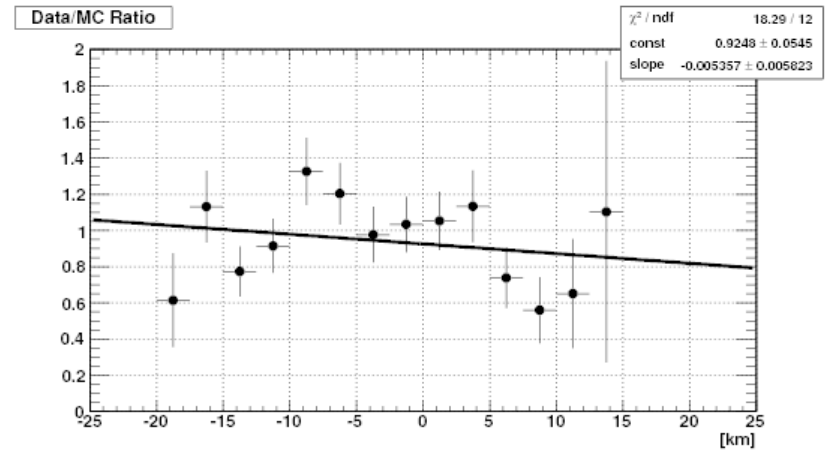
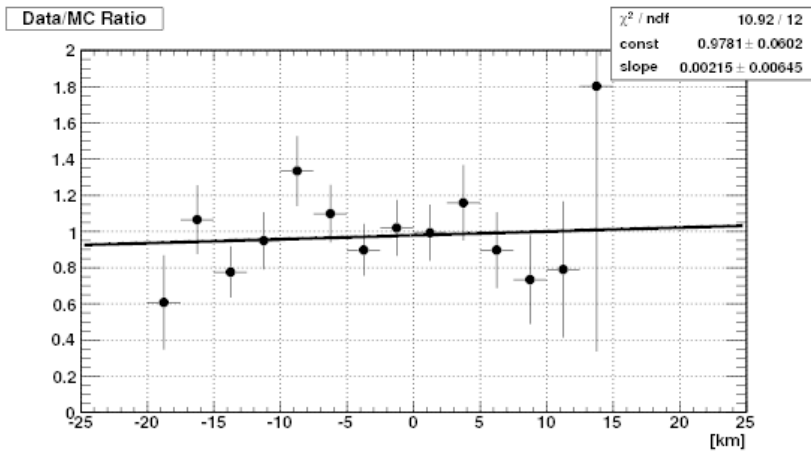
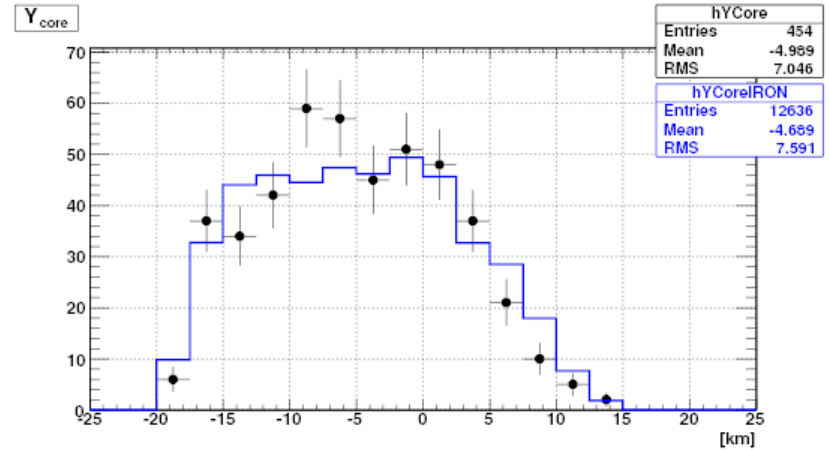
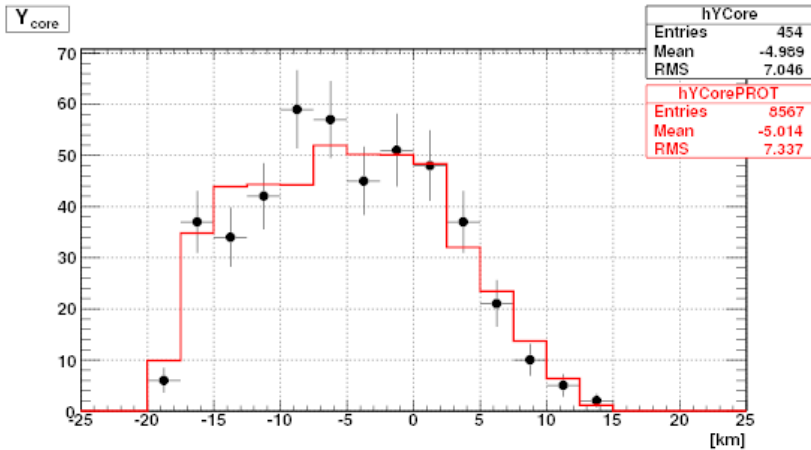
Data/MC Ratio



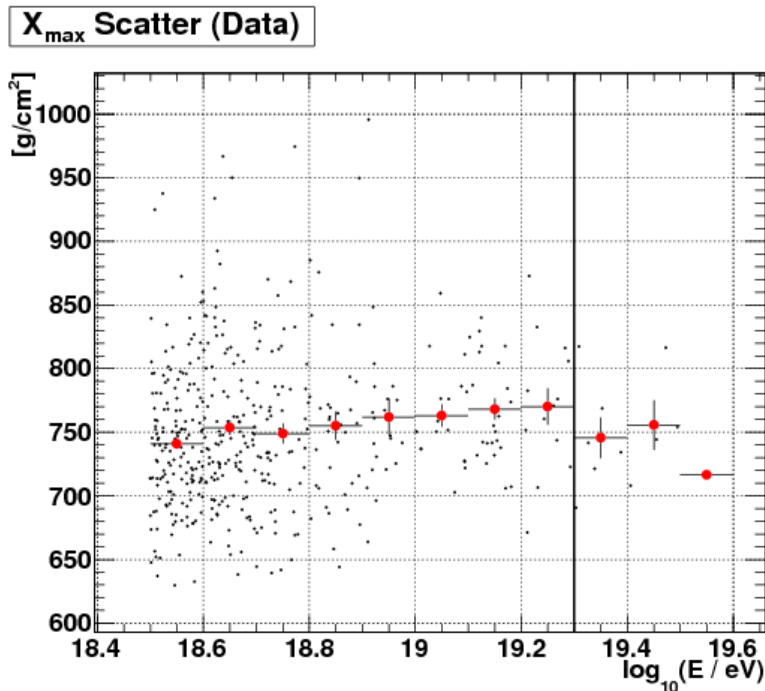
# Data/Monte Carlo (Azimuth)



# Data/Monte Carlo ( $Y_{\text{core}}$ )



# $X_{\max}$ Data After Cuts



- ▶ Clear elongation rate in the mean (red circles)
- ▶ Statistics are too poor to draw any conclusions above  $10^{19.3}$  eV
  - ▶ Marked with solid line
- ▶ MC is used to aid in interpretation of physics